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Legendre Functions

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MATHEMATICS

TABLE OF FOURIER COEFFICIENTS OF ASSOCIATED  
LEGENDRE FUNCTIONS

BY

D. J. HOF SOMMER AND M. L. POTTERS

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1. *Introduction*

Several tables of Legendre polynomials and associated Legendre functions exist. Since these functions depend on two parameters in addition to the variable, a table, in order to be handy, either has large intervals, or contains only a few functions. By tabulating the coefficients of a suitable expansion the difficulty of choosing an interval disappears so that more functions can be included.

Such a table of coefficients for associated Legendre functions has been published by R. EGERSDÖRFER and L. EGERSDÖRFER for degrees up to 20 [1]. They consider two kinds of expansions, viz.

$$(1.1) \quad \begin{cases} P_n^m(\cos \vartheta) = \sum_k A_k \cos k\vartheta, & \text{for even } m, \\ P_n^m(\cos \vartheta) = \sum_k B_k \sin k\vartheta, & \text{for odd } m, \end{cases}$$

$$(1.2) \quad P_n^m(x) = (1-x^2)^{\frac{1}{2}m} \sum_k C_k x^k,$$

and they give the exact values of the numerators and denominators of the rational numbers  $A_k$ ,  $B_k$ ,  $C_k$  in factorized form. This representation is usually, however, less suitable for numerical purposes. For Legendre polynomials HJ. TALLQUIST gives the coefficients  $A_k$  and  $B_k$  in 12 decimals for degrees up to 32 [2] and the exact values of the coefficients  $C_k$  in decimal notation for degrees up to 16 [3]. The present table contains coefficients similar to  $A_k$  and  $B_k$  for associated Legendre functions in 8 decimals for degrees up to 31 and all relevant orders.

2. *Formulae*

- i) The customary definition of the associated Legendre functions of degree  $n$  and order  $m$  ( $n$  and  $m$  non-negative integers) is

$$(2.1) \quad P_n^m(x) = \frac{(1-x^2)^{\frac{1}{2}m}}{2^n m!} \left( \frac{d}{dx} \right)^{n+m} (x^2 - 1)^n$$

(some authors add a factor  $(-1)^m$ ).

In terms of the hypergeometric function we have

$$(2.2) \quad \left\{ \begin{array}{l} P_n^m(x) = \frac{(2n)!}{2^n n! (n-m)!} (1-x^2)^{\frac{1}{2}m} x^{n-m} F(\frac{1}{2}m - \frac{1}{2}n, \frac{1}{2}m - \frac{1}{2}n + \frac{1}{2}; \frac{1}{2}-n; x^{-2}) \\ = (1-x^2)^{\frac{1}{2}m} \sum_{j=0}^{\lfloor \frac{1}{2}n - \frac{1}{2}m \rfloor} \frac{(-1)^j (2n-2j)!}{2^j j! (n-m-2j)! (n-j)!} x^{n-m-2j} \end{array} \right.$$

and also

$$(2.3) \quad P_n^m(x) = \frac{(n+m)!}{2^m m! (n-m)!} (1-x^2)^{\frac{1}{2}m} F(m-n, m+n+1; m+1; \frac{1}{2}-\frac{1}{2}x).$$

The normalization integral for these functions reads

$$(2.4) \quad \int_{-1}^1 \{P_n^m(x)\}^2 dx = \frac{1}{n+\frac{1}{2}} \frac{(n+m)!}{(n-m)!}$$

and they satisfy the recurrence relations

$$(2.5a) \quad -P_n^{m+1}(\cos \vartheta) + (n+m)(n-m+1)P_n^{m-1}(\cos \vartheta) = 2 \frac{d}{d\vartheta} P_n^m(\cos \vartheta),$$

$$(2.5b) \quad P_n^{m+1}(\cos \vartheta) + (n+m)(n-m+1)P_n^{m-1}(\cos \vartheta) = 2m \cot \vartheta P_n^m(\cos \vartheta).$$

For Legendre polynomials ( $m=0$ ) the following trigonometric expansion exists

$$(2.6) \quad P_n(\cos \vartheta) = \sum_{k=0}^n p_k p_{n-k} \cos(n-2k)\vartheta,$$

or

$$(2.7a) \quad P_{2n}(\cos \vartheta) = p_n^2 + 2 \sum_{k=1}^n p_{n-k} p_{n+k} \cos 2k\vartheta,$$

$$(2.7b) \quad P_{2n+1}(\cos \vartheta) = 2 \sum_{k=0}^n p_{n-k} p_{n+k+1} \cos(2k+1)\vartheta,$$

where

$$(2.8) \quad p_j = 4^{-j} \binom{2j}{j}.$$

The general coefficient in similar expansions for the associated functions takes the form of a sum of products of binomial coefficients which cannot be reduced to one term. These expansions have the form

$$(2.9a) \quad P_{2n}^{2m}(\cos \vartheta) = \sum_{k=0}^n A_{2n,2k}^{2m} \cos 2k\vartheta,$$

$$(2.9b) \quad P_{2n}^{2m+1}(\cos \vartheta) = \sum_{k=1}^n B_{2n,2k}^{2m+1} \sin 2k\vartheta,$$

$$(2.9c) \quad P_{2n+1}^{2m}(\cos \vartheta) = \sum_{k=0}^n A_{2n+1,2k+1}^{2m} \cos(2k+1)\vartheta,$$

$$(2.9d) \quad P_{2n+1}^{2m+1}(\cos \vartheta) = \sum_{k=0}^n B_{2n+1,2k+1}^{2m+1} \sin(2k+1)\vartheta.$$

ii) The coefficients  $A_k$  and  $B_k$  or  $C_k$  in the expansions (1.1) and (1.2) become rather large with increasing  $n$  and  $m$ . In order to obtain more manageable values a renormalization of the functions is indicated. We therefore define renormalized functions by

$$(2.10) \quad \bar{P}_n^m(x) = P_n^m(x)/N_n^m,$$

where

$$(2.11) \quad N_n^m = \left\{ (n + \frac{1}{2}) \frac{(n-m)!}{(n+m)!} \right\}^{-\frac{1}{2}},$$

for which the normalization integral simply is

$$(2.12) \quad \int_{-1}^1 \{\bar{P}_n^m(x)\}^2 dx = 1.$$

The expansions of the renormalized associated Legendre functions will be written as follows (comp. (2.9))

$$(2.13a) \quad \bar{P}_{2n}^{2m}(\cos \vartheta) = \sum_{k=0}^n a_{2n,2k}^{2m} \cos 2k\vartheta,$$

$$(2.13b) \quad \bar{P}_{2n}^{2m+1}(\cos \vartheta) = \sum_{k=1}^n b_{2n,2k}^{2m+1} \sin 2k\vartheta,$$

$$(2.13c) \quad \bar{P}_{2n+1}^{2m}(\cos \vartheta) = \sum_{k=0}^n a_{2n+1,2k+1}^{2m} \cos(2k+1)\vartheta,$$

$$(2.13d) \quad \bar{P}_{2n+1}^{2m+1}(\cos \vartheta) = \sum_{k=0}^n b_{2n+1,2k+1}^{2m+1} \sin(2k+1)\vartheta.$$

The functions satisfy the recurrence relations (comp. (2.5))

$$(2.14a) \quad \begin{cases} -(n-m)^{\frac{1}{2}}(n+m+1)^{\frac{1}{2}} \bar{P}_n^{m+1}(\cos \vartheta) + (n+m)^{\frac{1}{2}}(n-m+1)^{\frac{1}{2}} \bar{P}_n^{m-1}(\cos \vartheta) = \\ 2 \frac{d}{d\vartheta} \bar{P}_n^m(\cos \vartheta), \end{cases}$$

$$(2.14b) \quad \begin{cases} (n-m)^{\frac{1}{2}}(n+m+1)^{\frac{1}{2}} \bar{P}_n^{m+1}(\cos \vartheta) + (n+m)^{\frac{1}{2}}(n-m+1)^{\frac{1}{2}} \bar{P}_n^{m-1}(\cos \vartheta) = \\ 2m \cot \vartheta \bar{P}_n^m(\cos \vartheta). \end{cases}$$

From (2.13) and (2.14a) follow the recurrence relations for the coefficients  $a$  and  $b$

$$(2.15a) \quad (n-m)^{\frac{1}{2}}(n+m+1)^{\frac{1}{2}} b_{n,k}^{m+1} - (n+m)^{\frac{1}{2}}(n-m+1)^{\frac{1}{2}} b_{n,k}^{m-1} = 2k a_{n,k}^m \text{ (even } m\text{)},$$

$$(2.15b) \quad -(n-m)^{\frac{1}{2}}(n+m+1)^{\frac{1}{2}} a_{n,k}^{m+1} + (n+m)^{\frac{1}{2}}(n-m+1)^{\frac{1}{2}} a_{n,k}^{m-1} = 2k b_{n,k}^m \text{ (odd } m\text{)}.$$

iii) The coefficients  $C_k$  follow from (2.2). They are

$$C_k = \frac{(-1)^{\frac{1}{2}(n-m-k)} 2^{-n} (n+m+k)!}{k! (\frac{1}{2}n + \frac{1}{2}m + \frac{1}{2}k)! (\frac{1}{2}n - \frac{1}{2}m - \frac{1}{2}k)!} \text{ for even } n+m+k,$$

$$C_k = 0 \text{ for odd } n+m+k.$$

The coefficients  $c_k$  in the expansion

$$\bar{P}_n^m(x) = (1-x^2)^{\frac{1}{2}m} \sum_k c_k x^k$$

are

$$c_k = C_k / N_n^m.$$

The functions  $P_n^m(x)$  satisfy the inequality

$$|P_n^m(x)| \leq \frac{(n+m)!}{n!}, \quad (-1 < x < 1),$$

and hence, for even  $n+m+k$ ,

$$\left| \frac{C_k}{P_n^m(x)} \right| = \left| \frac{c_k}{\bar{P}_n^m(x)} \right| \geq 2^{-n} \binom{n+m+k}{n+m} \binom{n}{\frac{1}{2}n + \frac{1}{2}m + \frac{1}{2}k}.$$

The quantity in the right hand member may become rather large (e.g. for  $m=0, k=n$ ). In such a case the expansion coefficients are much larger than the values of the function they determine. This can only occur if the terms largely cancel and this implies that in evaluating the function the accuracy of the result may be much less than the accuracy of the coefficients  $c_k$ . A similar loss of significant figures does not occur in the trigonometric expansions. We therefore tabulated the coefficients  $a_k$  and  $b_k$  only.

### 3. Method of evaluation

i) The evaluation of the coefficients  $a$  and  $b$  was based on the recurrence relations (2.15).

If we define

$$(3.1) \quad \gamma_n^m = (-1)^m (n+m)^{\frac{1}{2}} (n-m+1)^{\frac{1}{2}},$$

$$(3.2) \quad d_{n,k}^m = \begin{cases} a_{n,k}^m & \text{for even } m, \\ b_{n,k}^m & \text{for odd } m, \end{cases}$$

these relations can be reduced to the single second order difference equation with respect to  $m$

$$(3.3) \quad \gamma_n^m d_{n,k}^{m-1} + 2k d_{n,k}^m + \gamma_n^{m+1} d_{n,k}^{m+1} = 0.$$

For  $m=0$  we find from (2.7) and (2.10)

$$(3.4a) \quad d_{2n,2k}^0 = 2(2n+\frac{1}{2})^{\frac{1}{2}} p_{n-k} p_{n+k}, \quad (k > 0),$$

$$(3.4b) \quad d_{2n,0}^0 = (2n+\frac{1}{2})^{\frac{1}{2}} p_n^2,$$

$$(3.4c) \quad d_{2n+1,2k+1}^0 = 2(2n+1\frac{1}{2}) p_{n-k} p_{n+k+1}.$$

For  $m=n+1$  we have

$$(3.5) \quad d_{n,k}^{n+1} = 0,$$

because all associated Legendre functions for which the order exceeds the degree vanish identically ( $n$  and  $m$  non-negative integers).

The difference equations (3.3) for  $m=1(1)n$  and for fixed values of  $n$  and  $k$  provide, together with the boundary conditions (3.4) and (3.5), a system of  $n$  linear equations in the unknown  $d$ 's with a symmetric tridiagonal coefficient matrix. For the solution of the  $d$ 's boundary conditions were preferred to initial conditions (e.g. for  $m=0$  and  $m=1$ ) because, although the calculations in the latter case would be simpler, the process is unstable, thus necessitating the retention of more figures in the calculations than are required for the results.

The calculations were performed with fixed length (33 binary digits) floating point arithmetic on the electronic computer ARMAC of the Mathematical Centre.

Preliminary calculations consisted in the computation of a table of  $p_j$  for  $j=0(1)31$  by means of the recurrence relation  $p_j = (1 - \frac{1}{2j})p_{j-1}$  and the initial value  $p_0 = 1$ ; and of tables of  $\gamma_n^m$  for  $m=1(1)n$ ,  $n=1(1)31$ . Then the linear systems (3.3) were solved by Gaussian elimination for each of the 271 combinations of  $n$  and  $k$ , viz.  $n=2(2)30$ ,  $k=0(2)n$  and  $n=1(2)31$ ,  $k=1(2)n$ . For  $n=0$  one finds immediately from (3.4b) that  $d_{0,0}^0 = \frac{1}{2}\sqrt{2}$ . Since the  $d$ 's came out in an order unsuitable for direct printing they were punched on tape. Then the  $d$ 's were read again into the machine and printed in the required order.

ii) For checking purposes the following formulae were used:

$$(3.6a) \quad \sum_{k=0}^n a_{2n,2k}^{2m} = (2n + \frac{1}{2})^{\frac{1}{2}} \delta_{m,0},$$

$$(3.6b) \quad \sum_{k=1}^n b_{2n,2k}^{2m+1} = \frac{p_n}{2m+1} [(2n + \frac{1}{2})(2n + 2m + 1)(2n - 2m - 1) p_{n+m} p_{n-m-1}]^{\frac{1}{2}},$$

$$(3.6c) \quad \sum_{k=0}^n a_{2n+1,2k+1}^{2m} = (2n + 1\frac{1}{2})^{\frac{1}{2}} \delta_{m,0},$$

$$(3.6d) \quad \sum_{k=0}^n (-1)^k b_{2n+1,2k+1}^{2m+1} = (-1)^{n-m} [(2n + 1\frac{1}{2}) p_{n+m+1} p_{n-m}]^{\frac{1}{2}}.$$

The respective sums were calculated by hand from the printed tables. Since no larger discrepancies than  $(\frac{1}{2}n)^{\frac{1}{2}}$  units of the last decimal were found, it seems justified to state that the coefficients are accurate to within one unit of the last decimal.

Using the normalization (2.10), (3.6a) immediately follows from (2.3) and (2.13a) for  $\vartheta=0$ . In the same way (3.6c) follows from (2.3) and (2.13c). For  $\vartheta=\frac{1}{2}\pi$  (3.6d) follows from (2.2) and (2.13d). Finally (3.6b) can be proved in the following way:

We first derive

$$(3.7) \quad \int_0^\pi \cot \vartheta \sin 2j\vartheta d\vartheta = \pi, \quad (j \geq 1).$$

The integrand equals

$$\cot \vartheta \sin 2j\vartheta = \frac{1}{2} \left\{ \frac{\sin(2j+1)\vartheta}{\sin \vartheta} + \frac{\sin(2j-1)\vartheta}{\sin \vartheta} \right\}.$$

Since

$$\frac{\sin(2j+1)\vartheta}{\sin \vartheta} = 1 + 2 \sum_{i=1}^j \cos 2i\vartheta$$

(3.7) immediately follows from the orthogonality of  $\sin 2j\vartheta$  and  $\cos 2i\vartheta$  on  $(0, \pi)$ .

Application of (3.7) to (2.13b) yields

$$(3.8) \quad \sum_{k=1}^n b_{2n,2k}^{2m+1} = \frac{1}{\pi} \int_0^\pi \cot \vartheta \bar{P}_{2n}^{2m+1}(\cos \vartheta) d\vartheta.$$

By aid of (2.14b) we also have

$$(3.9) \quad \begin{cases} 2(2m+1) \int_0^\pi \cot \vartheta \bar{P}_{2n}^{2m+1}(\cos \vartheta) d\vartheta = \\ (2n-2m-1)^{\frac{1}{2}}(2n+2m+2)^{\frac{1}{2}} \int_0^\pi \bar{P}_{2n}^{2m+2}(\cos \vartheta) d\vartheta + \\ \quad + (2n+2m+1)^{\frac{1}{2}}(2n-2m)^{\frac{1}{2}} \int_0^\pi \bar{P}_{2n}^{2m}(\cos \vartheta) d\vartheta. \end{cases}$$

From (2.13a) it follows, that

$$(3.10) \quad \int_0^\pi \bar{P}_{2n}^{2m}(\cos \vartheta) d\vartheta = \pi a_{2n,0}^{2m},$$

or, combining (3.8), (3.9) and (3.10),

$$(3.11) \quad \begin{cases} \sum_{k=1}^n b_{2n,2k}^{2m+1} = \frac{1}{2(2m+1)} \{(2n-2m-1)^{\frac{1}{2}}(2n+2m+2)^{\frac{1}{2}} a_{2n,0}^{2m+2} + \\ \quad + (2n+2m+1)^{\frac{1}{2}}(2n-2m)^{\frac{1}{2}} a_{2n,0}^{2m}\}. \end{cases}$$

We see from (2.13b) that

$$\frac{d}{d\vartheta} \bar{P}_{2n}^{2m+1}(\cos \vartheta)$$

is a cosine series without constant term. It then follows from (2.14a) that

$$(3.12) \quad (2n-2m-1)^{\frac{1}{2}}(2n+2m+2)^{\frac{1}{2}} a_{2n,0}^{2m+2} = (2n+2m+1)^{\frac{1}{2}}(2n-2m)^{\frac{1}{2}} a_{2n,0}^{2m}$$

and also that

$$(3.13) \quad a_{2n,0}^{2m} = p_n^{-1} p_{n+m}^{\frac{1}{2}} p_{n-m}^{\frac{1}{2}} a_{2n,0}^0.$$

Hence, by substitution of (3.12) and (3.13) in (3.11),

$$(3.14) \quad \begin{cases} \sum_{k=1}^n b_{2n,2k}^{2m+1} = \frac{1}{2m+1} p_n^{-1} \{(2n+2m+1)(2n-2m) p_{n+m} p_{n-m}\}^{\frac{1}{2}} a_{2n,0}^0 \\ = \frac{1}{2m+1} p_n^{-1} \{(2n+2m+1)(2n-2m-1) p_{n+m} p_{n-m-1}\}^{\frac{1}{2}} a_{2n,0}^0. \end{cases}$$

It follows from (2.7a), taking account of the renormalization, that

$$(3.15) \quad a_{2n,0}^0 = (2n+\frac{1}{2})^{\frac{1}{2}} p_n^2.$$

Substitution of (3.15) in (3.14) yields (3.6b).

#### 4. Tables

The next 13 pages contain the coefficients  $a_{n,k}^m$  and  $b_{n,k}^m$  of the renormalized functions  $\bar{P}_n^m(\cos \vartheta)$ , as defined by (2.10), (2.11) and (2.13), for  $n=0(1)31$ ,  $m=0(1)n$  in 8 decimals with an expected accuracy of one unit of the last digit (comp. 3, ii). The last page contains the normalization factors  $N_n^m$  for converting  $\bar{P}_n^m(\cos \vartheta)$  into  $P_n^m(\cos \vartheta)$ . These latter values are given in floating decimal notation with 10 significant digits; the second number denotes the exponent of 10.

For typographical reasons the notations  $a_{n,k}^m$ ,  $b_{n,k}^m$  and  $N_n^m$  have been replaced in the headings of the tables by  $a(n, m, k)$ ,  $b(n, m, k)$  and  $N(n, m)$ .

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k	a( 0, 0,k)	k	a( 5, 2,k)	k	b( 7, 3,k)	k	b( 8, 7,k)	k	a(10, 0,k)	k	a(11, 0,k)
0	+ 0.70710678	1	+ 0.53102017	1	+ 0.19498798	6	+ 0.24224791	0	+ 0.19624374	1	+ 0.37652301
		3	+ 0.26551009	3	+ 0.50696875	8	- 0.04037465	2	+ 0.39975577	3	+ 0.38847612
		5	- 0.79653026	5	+ 0.52430102	7	- 0.61962847	4	+ 0.42423061	5	+ 0.41622442
k	a( 1, 0,k)	k	b( 5, 3,k)	k	a( 7, 4,k)	0	+ 0.35327821	k	b(10, 1,k)	k	b(11, 1,k)
1	+ 1.22474487	1	+ 0.32518211	1	+ 0.43113465	2	- 0.56524513	k	b(10, 1,k)	k	b(11, 1,k)
		3	+ 0.70456125	3	- 0.08622693	4	+ 0.28262256				
k	b( 1, 1,k)	5	- 0.48777317	5	- 0.71855775	6	- 0.08074930	0	+ 0.00000000	1	+ 0.03277212
1	+ 0.86602540	k	a( 5, 4,k)	7	+ 0.37365003	8	+ 0.01009366	2	+ 0.07623043	3	+ 0.10143752
		1	+ 0.45987696	k	b( 7, 5,k)	k	a( 9, 0,k)	4	+ 0.16179521	5	+ 0.18113843
		3	- 0.68981544	5	+ 0.35927887	1	+ 0.41481118	6	+ 0.27302941	7	+ 0.28740630
k	a( 2, 0,k)	5	+ 0.22993848	3	+ 0.47424811	3	+ 0.43456410	8	+ 0.45841976	9	+ 0.46806169
0	+ 0.39528471	k	b( 5, 5,k)	5	- 0.61795966	5	+ 0.48422857	10	+ 1.14070716	11	+ 1.09214396
2	+ 1.18585412	7	+ 0.18682501	7	+ 0.18682501	7	+ 0.60528571	k	b(10, 1,k)	k	b(11, 1,k)
k	b( 2, 1,k)	3	- 0.36356466	k	a( 7, 6,k)	9	+ 1.14331745				
0	+ 0.00000000	5	+ 0.07271293	1	+ 0.36639400	k	b( 9, 1,k)	4	+ 0.30359065	5	+ 0.26054501
2	+ 0.96824584	3	- 0.65950919	3	- 0.65950919	6	+ 0.16639103	6	- 0.09925079	7	+ 0.12243497
k	a( 2, 2,k)	5	+ 0.36639400	5	+ 0.36639400	1	+ 0.04372494	8	- 0.94288249	9	- 0.13683909
0	+ 0.48412292	0	+ 0.24897556	k	b( 7, 7,k)	7	+ 0.44661901	10	- 0.94288249	11	- 0.95787361
2	- 0.48412292	2	+ 0.52284868	9	+ 1.08464616	0	+ 0.00000000	0	+ 0.20402525	1	+ 0.09986475
		4	+ 0.62741842	1	+ 0.68546040	2	+ 0.22441632	2	+ 0.29470314	3	+ 0.28374270
		6	+ 1.15026710	3	- 0.41127624	4	+ 0.40303340	4	- 0.01295398	5	+ 0.41610312
k	a( 3, 0,k)	k	b( 6, 1,k)	5	+ 0.13709208	6	+ 0.47402223	6	- 0.40319275	7	+ 0.44463591
1	+ 0.70156076	7	- 0.01958458	7	- 0.01958458	1	+ 0.41017628	8	+ 0.31143490	9	+ 0.25600249
3	+ 1.16926793	0	+ 0.00000000	5	+ 0.35157967	3	+ 0.35157967	10	- 0.73965788	11	- 0.76800747
		2	+ 0.16135461	7	- 0.05441114	5	+ 0.21764456	k	a(10, 4,k)	k	a(11, 4,k)
k	b( 3, 1,k)	6	+ 0.38725105	k	a( 8, 0,k)	9	- 0.92498936	0	+ 0.20402525	1	+ 0.36465451
1	+ 0.20252315	k	a( 6, 2,k)	0	+ 0.21798450	k	b( 9, 3,k)	2	+ 0.29470314	3	+ 0.19100950
3	+ 1.01261573	2	+ 0.44842526	2	+ 0.49326778	1	+ 0.13426170	4	- 0.01295398	5	- 0.11286925
k	a( 3, 2,k)	0	+ 0.25512403	6	+ 0.61071249	3	+ 0.37081804	6	- 0.40319275	7	- 0.44279476
1	+ 0.64043442	2	+ 0.43371086	8	+ 1.14508592	5	+ 0.49868632	8	+ 0.60559875	9	- 0.56087336
3	- 0.64043442	6	+ 0.15307142	k	b( 8, 1,k)	7	+ 0.37401474	10	+ 0.52301710	11	+ 0.56087336
k	b( 6, 3,k)	0	- 0.84190931	9	- 0.70647229	k	b(10, 5,k)	k	b(11, 5,k)		
k	b( 3, 3,k)	0	+ 0.00000000	0	+ 0.00000000	k	a( 9, 4,k)	0	+ 0.00000000	1	+ 0.17228306
1	+ 0.78436877	2	+ 0.45922326	2	+ 0.10569485	4	+ 0.39525575	2	+ 0.35843582	3	+ 0.40199381
3	- 0.26145626	4	+ 0.61229768	6	+ 0.23252866	1	+ 0.11293021	4	+ 0.40964094	5	+ 0.32405623
		6	- 0.56127287	8	+ 1.07959736	3	+ 0.33879064	6	- 0.01536154	7	- 0.12552051
k	a( 6, 4,k)	k	a( 8, 2,k)	5	- 0.64934873	5	- 0.64934873	8	- 0.69638960	9	- 0.68896816
k	a( 4, 0,k)	0	+ 0.22107663	k	b( 9, 5,k)	9	+ 0.47995341	10	+ 0.33078506	11	+ 0.37098285
0	+ 0.29831067	0	+ 0.27947438	2	+ 0.40425441	k	a(10, 6,k)	k	a(11, 6,k)		
2	+ 0.66291261	2	+ 0.13973719	4	+ 0.27792491	1	+ 0.23621049	0	+ 0.21640145	1	+ 0.34799472
4	+ 1.16009706	6	- 0.72663338	6	+ 0.00000000	3	+ 0.47242098	2	+ 0.15228250	3	- 0.03866608
k	b( 4, 1,k)	k	b( 6, 5,k)	6	- 0.90325595	5	+ 0.12147968	4	- 0.38013377	5	- 0.43913620
0	+ 0.00000000	0	+ 0.00000000	0	+ 0.30789172	7	- 0.69175929	6	- 0.40704083	7	- 0.28999560
2	+ 0.29646353	2	+ 0.65542551	4	+ 0.51345287	3	+ 0.36593572	0	+ 0.60340511	9	+ 0.64019982
4	+ 1.03762236	6	- 0.52434041	6	+ 0.44473249	5	- 0.24395715	2	+ 0.18491447	11	- 0.22039666
k	a( 4, 2,k)	k	a( 6, 6,k)	8	- 0.66709873	7	- 0.52276531	10	- 0.18491447	k	b(11, 7,k)
0	+ 0.31444706	k	a( 8, 4,k)	9	- 0.14811684	8	+ 0.54890358	0	+ 0.00000000	1	+ 0.25677305
2	+ 0.41926275	0	+ 0.37841009	2	+ 0.23186713	k	b( 9, 7,k)	2	+ 0.46264610	3	+ 0.40350051
4	- 0.73370980	2	- 0.56761514	4	+ 0.26499100	1	+ 0.36972790	3	+ 0.07553406	5	- 0.11790599
k	b( 4, 3,k)	6	- 0.03784101	4	- 0.23849190	3	+ 0.31690963	6	- 0.60899334	7	- 0.56158188
0	+ 0.00000000	6	- 0.68897661	6	- 0.68897661	5	- 0.61872832	8	+ 0.41543732	9	+ 0.48123113
2	+ 0.78436877	8	+ 0.43183894	8	+ 0.43061038	7	+ 0.33577330	10	- 0.08969669	11	- 0.11615924
4	- 0.39218439	k	a( 7, 0,k)	9	- 0.06413647	6	- 0.53771408	k	b(10, 7,k)	k	b(11, 7,k)
k	a( 4, 4,k)	1	+ 0.46802465	0	+ 0.00000000	k	b( 9, 8,k)	10	+ 0.24283862	1	+ 0.31978508
0	+ 0.41597436	3	+ 0.50546662	2	+ 0.47771933	k	a(10, 8,k)	2	- 0.08094621	3	- 0.31978508
2	- 0.55463248	5	+ 0.61779253	4	+ 0.28663160	1	+ 0.30798080	4	- 0.50880472	5	- 0.34262687
4	+ 0.13865812	7	+ 1.14732899	6	- 0.66880706	3	- 0.61596160	6	+ 0.53771408	7	+ 0.58627265
k	b( 7, 1,k)	8	+ 0.23885966	7	+ 0.4						

k	b(11, 11, k)	k	a(12, 8, k)	k	b(13, 5, k)	k	a(14, 0, k)	k	b(14, 9, k)	k	a(15, 2, k)
1	+ 0.62746364	10	- 0.36032636	1	+ 0.13332679	8	+ 0.40027574	2	+ 0.37180283	15	- 0.99949821
3	- 0.44818831	12	+ 0.07144402	3	+ 0.33634713	10	+ 0.46031710	4	+ 0.16524570	k	b(15, 3, k)
5	+ 0.22409416			5	+ 0.36260847	12	+ 0.59015013	6	- 0.36262251		
7	- 0.07469805	k	b(12, 9, k)	7	+ 0.14585143	14	+ 1.13814668	8	- 0.26038717	1	+ 0.06325837
9	+ 0.01493961			9	- 0.28095591			10	+ 0.57710809	3	+ 0.18436841
11	- 0.000135815	0	+ 0.00000000	11	- 0.65326087	k	b(14, 1, k)	12	- 0.30879247	5	+ 0.28857022
		2	+ 0.43924154	13	+ 0.44139248			14	+ 0.05633376	7	+ 0.36192259
		4	- 0.06100577			0	+ 0.00000000			9	+ 0.38467540
		6	- 0.50160299	k	a(13, 6, k)	2	+ 0.04656343	k	a(14, 10, k)	11	+ 0.32219006
		8	+ 0.50431436			4	+ 0.09594889			13	+ 0.08787002
0	+ 0.17991984	10	- 0.20335256	1	+ 0.32875261	6	+ 0.15191908	0	+ 0.19610239	15	- 0.84941015
2	+ 0.36451292	12	+ 0.03118073	3	+ 0.06724485	8	+ 0.22097320	2	+ 0.01885600		
4	+ 0.37970096	k	a(12, 10, k)	7	- 0.28143216	10	+ 0.31764898	4	- 0.41485199		
6	+ 0.40983595			9	- 0.42339352	12	+ 0.48869074	6	+ 0.00628533	k	a(15, 4, k)
8	+ 0.46721299	0	+ 0.23128617	11	+ 0.67595330	14	+ 1.09955416	8	+ 0.50966358		
10	+ 0.59463471	2	- 0.13216352	13	- 0.28641326	k	a(14, 2, k)	10	- 0.46751451	1	+ 0.31839347
12	+ 1.13971653	4	- 0.41301101					12	+ 0.17713212	3	+ 0.23675412
		6	+ 0.55068135	k	b(13, 7, k)	0	+ 0.16788684	14	- 0.02571273	5	+ 0.08386588
		8	- 0.31939518			2	+ 0.32608791	k	b(14, 11, k)	9	- 0.11760115
0	+ 0.00000000	10	+ 0.09411645	1	+ 0.19449267	4	+ 0.29605221			11	- 0.32743452
2	+ 0.05836878	12	- 0.01151425	3	+ 0.38465605	6	+ 0.24227493	0	+ 0.00000000	13	- 0.47330583
4	+ 0.12160163	k	b(12, 11, k)	7	- 0.34899226	10	+ 0.02202499	2	+ 0.41483199	15	+ 0.67504274
6	+ 0.19687882			9	- 0.41550707	12	- 0.22024994	4	- 0.15084799		
8	+ 0.29925581	0	+ 0.00000000	11	+ 0.57611086	14	- 0.99112472	6	- 0.38969066	k	b(15, 5, k)
10	+ 0.47608879	2	+ 0.44818831	13	- 0.16944437			8	+ 0.53025356		
12	+ 1.09500423	4	- 0.56023539			k	b(14, 3, k)	10	- 0.30283878	1	+ 0.10733042
		6	+ 0.37349026			12	+ 0.08685188	3	+ 0.28346238		
		8	- 0.14939610	k	a(13, 8, k)	14	- 0.01028509	5	+ 0.35031247		
		10	+ 0.03395366	1	+ 0.31188211	2	+ 0.13834060	k	a(14, 12, k)	9	+ 0.25744289
0	+ 0.18108438	12	- 0.00339537	3	- 0.13467637	4	+ 0.26270740			11	- 0.00575431
2	+ 0.34805829			5	- 0.42135589	6	+ 0.35695291	0	+ 0.22204224	13	- 0.37405024
4	+ 0.30376709	k	a(12, 12, k)	7	- 0.01102614	8	+ 0.39905779	2	- 0.16653168	15	+ 0.60420270
6	+ 0.22210927			9	+ 0.58123485	10	+ 0.35158923	4	- 0.33306336		
8	+ 0.08440152	0	+ 0.32020120	11	- 0.41663040	12	+ 0.12336464	6	+ 0.53660208	k	a(15, 6, k)
10	- 0.16880304	2	- 0.54891634	13	+ 0.09057183	14	- 0.83271132	8	- 0.38352750		
12	- 0.97061751	4	+ 0.34307271					10	+ 0.15643885	1	+ 0.31107310
		6	- 0.15247676	k	b(13, 9, k)	k	a(14, 4, k)	12	- 0.03545430	3	+ 0.12496099
		8	+ 0.04574303			14	+ 0.00349367	5	- 0.15589911		
0	+ 0.00000000	10	- 0.00831691	1	+ 0.26763114	0	+ 0.17041160			7	- 0.36908207
2	+ 0.17281727	12	+ 0.00069308	3	+ 0.33453892	2	+ 0.29166600	k	b(14, 13, k)	9	+ 0.32799239
4	+ 0.52163215			5	- 0.25193672	4	+ 0.15114595			11	+ 0.08338789
6	+ 0.41710836			7	- 0.38843035	6	- 0.05849209	0	+ 0.00000000	13	+ 0.67901571
8	+ 0.41348133	k	a(13, 0, k)	9	+ 0.55283401	8	- 0.29434731	2	+ 0.40791764	15	- 0.34546413
10	+ 0.20674066			11	- 0.25734341	10	- 0.47737095	4	- 0.54389018		
12	- 0.79250587	1	+ 0.34724519	13	+ 0.04317842	12	- 0.43397359	6	+ 0.40791764	k	b(15, 7, k)
		3	+ 0.35513713	k	a(13, 10, k)	14	+ 0.65096039	8	- 0.19777825		
		5	+ 0.37267477					10	+ 0.06180570	1	+ 0.15474902
		7	+ 0.40461832	1	+ 0.28522530	k	b(14, 5, k)	12	- 0.01141028	3	+ 0.34520935
0	+ 0.18481847	9	+ 0.46347189	3	- 0.35653162	0	+ 0.00000000	14	+ 0.00095086	5	+ 0.24997919
2	+ 0.29762975	11	+ 0.59221408	5	- 0.19807312	2	+ 0.22586171	k	a(14, 14, k)	9	- 0.10208385
4	+ 0.09560956	13	+ 1.13887324	7	+ 0.55460474	4	+ 0.35590330			11	- 0.42549539
6	- 0.19041903			9	- 0.40190837	6	+ 0.31346868	0	+ 0.30835675	13	+ 0.63240162
8	- 0.46516649	k	b(13, 1, k)	11	+ 0.13468972	8	+ 0.06570523	2	- 0.53962431	15	- 0.22095960
10	- 0.51685166			13	- 0.01800665	10	- 0.33372779	4	+ 0.35974954		
12	+ 0.59437941	1	+ 0.02573953			12	- 0.62967507	6	- 0.17987477	k	a(15, 8, k)
		3	+ 0.07897355	k	b(13, 11, k)	14	+ 0.47225630	8	+ 0.06540901		
		5	+ 0.13812246					10	+ 0.06180570	1	+ 0.29987397
0	+ 0.00000000	7	+ 0.20994614	1	+ 0.36975536	k	a(14, 6, k)	12	+ 0.00251573	3	- 0.02306723
2	+ 0.27991367	9	+ 0.30919340	3	+ 0.12605296	0	+ 0.17508127			5	- 0.34600843
4	+ 0.39654436	11	+ 0.48287611	5	- 0.51821774	2	+ 0.23231938			7	- 0.27750575
6	+ 0.23326139	13	+ 1.09744571	7	+ 0.47620008	4	- 0.05693202			9	+ 0.22438122
8	- 0.21273439</										

k	b(15, 11, k)	k	b(16, 3, k)	k	b(16, 11, k)	k	a(17, 2, k)	k	a(17, 10, k)	k	a(18, 0, k)
9	+ 0.54146830	14	+ 0.05576287	14	+ 0.15171516	11	+ 0.08199092	11	+ 0.24278335	6	+ 0.31278054
11	- 0.37057588	16	- 0.86432443	16	- 0.02081049	13	- 0.04755473	13	- 0.56581762	8	+ 0.32809148
13	+ 0.11835025	k	a(16, 4, k)	k	a(16, 12, k)	17	- 1.01351023	15	+ 0.30259081	10	+ 0.35152658
15	- 0.01511963	k	a(15, 12, k)	0	+ 0.15903617	0	+ 0.18884189	k	b(17, 3, k)	16	+ 0.38835318
		2	+ 0.28273098	2	- 0.02238126			k	b(17, 11, k)	18	+ 0.45146057
1	+ 0.25826762	4	+ 0.18051285	4	- 0.39167207	1	+ 0.05260892	1	+ 0.21698761	k	b(18, 1, k)
3	- 0.37305323	6	+ 0.02340214	6	+ 0.12818359	3	+ 0.15431949	3	+ 0.31246217		
5	- 0.08608921	8	- 0.16639428	8	+ 0.39523273	5	+ 0.24516492	5	- 0.11046642		
7	+ 0.49305637	10	- 0.35139164	10	- 0.50944759	7	+ 0.31661673	7	- 0.38060704	0	+ 0.00000000
9	- 0.46175121	12	- 0.46507718	12	+ 0.27960925	9	+ 0.35759520	9	+ 0.08149795	2	+ 0.03219067
11	+ 0.21853414	14	- 0.35965968	14	- 0.077616057	11	+ 0.35148078	11	+ 0.47133076	4	+ 0.06555192
13	- 0.05478404	16	+ 0.69684063	16	+ 0.00879404	13	+ 0.26769344	13	- 0.47556843	6	+ 0.10147941
15	+ 0.00581955	k	b(16, 5, k)	k	b(16, 13, k)	17	+ 0.02659775	15	+ 0.18601894	8	+ 0.14192924
					- 0.87772561	17	- 0.02728278	17	- 0.02728278	10	+ 0.19008381
k	b(15, 13, k)	0	+ 0.00000000	0	+ 0.00000000	k	a(17, 4, k)	k	a(17, 12, k)	12	+ 0.25199682
1	+ 0.36633100	2	+ 0.18700896	2	+ 0.39171204			k	a(17, 12, k)	14	+ 0.34177068
3	+ 0.06575172	4	+ 0.31359964	4	- 0.21092187	1	+ 0.30068501	1	+ 0.26020575	16	+ 0.50547597
5	- 0.46026203	6	+ 0.32834161	6	- 0.28762073	3	+ 0.24054801	3	- 0.23591988	18	+ 1.10572868
7	+ 0.49612660	8	+ 0.19961096	8	+ 0.51771731	5	+ 0.12616154	5	- 0.29143044	k	a(18, 2, k)
9	- 0.29289402	10	- 0.06835992	10	- 0.37611941	7	- 0.02989646	7	+ 0.27818360		
11	+ 0.10437511	12	- 0.40430010	12	+ 0.15234416	9	- 0.20629912	9	+ 0.27003170	0	+ 0.14839167
13	- 0.02121659	14	- 0.57773898	14	- 0.03392450	11	- 0.36814972	11	- 0.52841783	2	+ 0.29154599
15	+ 0.00190489	16	+ 0.52676201	16	+ 0.00326602	13	- 0.45395470	13	+ 0.33684817	4	+ 0.27551651
k	a(15, 14, k)	k	a(16, 6, k)	k	a(16, 14, k)	17	+ 0.71665996	17	+ 0.01240981	8	+ 0.24765721
1	+ 0.21460722	0	+ 0.16228878	0	+ 0.21439077	k	b(17, 5, k)	k	b(17, 13, k)	12	+ 0.14638413
3	- 0.50075017	2	+ 0.24042783	2	- 0.19056957			k	b(17, 13, k)	14	- 0.06619685
5	+ 0.50075017	4	+ 0.02293312	4	- 0.26679740	1	+ 0.08889939	1	+ 0.27619423	16	- 0.29126613
7	- 0.31865920	6	- 0.22939841	6	+ 0.50934049	3	+ 0.24180634	3	+ 0.22095539	18	- 1.01943148
9	+ 0.13656823	8	- 0.37510104	8	- 0.42445041	5	+ 0.32317103	5	- 0.35692793	k	b(18, 3, k)
11	- 0.03851924	10	- 0.27069147	10	+ 0.21455735	7	+ 0.29626498	7	- 0.09195598		
13	+ 0.00650325	12	+ 0.14915652	12	- 0.06796537	9	+ 0.14298503	9	+ 0.48463991		
15	- 0.00050025	14	+ 0.67286166	14	+ 0.01252695	11	- 0.12255860	11	- 0.44155420	0	+ 0.00000000
k	b(15, 15, k)	k	b(16, 7, k)	k	b(16, 15, k)	17	- 0.55090089	15	- 0.04928113	4	+ 0.09600227
1	+ 0.58772606	0	+ 0.00000000	0	+ 0.00000000	k	a(17, 6, k)	k	a(17, 14, k)	10	+ 0.18618622
3	- 0.45712027	2	+ 0.25523880	2	+ 0.37513658			k	a(17, 14, k)	12	+ 0.26421137
5	+ 0.27427216	4	+ 0.33377381	4	- 0.52519121	1	+ 0.29538151	1	+ 0.23658222	14	+ 0.35093009
7	- 0.12466917	6	+ 0.15528514	6	+ 0.42970190	3	+ 0.15753681	3	- 0.37853155	16	+ 0.33401346
9	+ 0.04155639	8	- 0.19098288	8	- 0.23872328	5	- 0.06609936	5	- 0.00000000	18	+ 0.24268166
11	- 0.00958994	10	- 0.42709789	10	+ 0.09181664	7	- 0.28009603	7	+ 0.42154650		- 0.88983274
13	+ 0.00136999	12	- 0.17867080	12	- 0.02360999	9	- 0.36492355	9	- 0.48639980	k	a(18, 4, k)
15	- 0.00009133	14	+ 0.64966233	14	+ 0.00367267	11	- 0.21246223	11	+ 0.29117811		
k	a(16, 0, k)	k	a(16, 8, k)	k	a(16, 16, k)	17	+ 0.20538015	13	- 0.10323588	0	+ 0.14973461
0	+ 0.15665318	0	+ 0.16746558	0	+ 0.29841932	k	b(17, 7, k)	k	b(17, 15, k)	8	+ 0.27304546
2	+ 0.31562714	2	+ 0.17862995	2	- 0.53052324			k	b(17, 15, k)	10	+ 0.19601621
4	+ 0.32291084	4	- 0.15801880	4	+ 0.37136627	1	+ 0.12725633	1	+ 0.36219107	12	+ 0.07536621
6	+ 0.33625427	6	- 0.36350570	6	- 0.20256342	3	+ 0.30541519	3	+ 0.01931686	14	- 0.07628159
8	+ 0.35804852	8	- 0.17915043	8	+ 0.08410142	5	+ 0.28975287	5	+ 0.40565400	16	- 0.23865241
10	+ 0.39345992	10	+ 0.30188045	10	- 0.02596967	7	+ 0.06158138	7	+ 0.49784809	18	- 0.44085312
12	+ 0.45528933	12	+ 0.44568261	12	+ 0.00556493	9	- 0.25807227	9	- 0.34277290		- 0.29390209
14	+ 0.58681736	14	- 0.54338481	14	- 0.00074199	11	- 0.41298828	11	- 0.34277290		+ 0.73475521
16	+ 1.13695864	16	+ 0.15040115	16	+ 0.00004637	13	- 0.10744233	13	- 0.40336162	k	b(18, 5, k)
k	b(16, 1, k)	k	b(16, 9, k)	k	b(16, 15, k)	17	+ 0.66124436	15	+ 0.00731136	0	+ 0.00000000
0	+ 0.00000000	0	+ 0.00000000	k	a(17, 0, k)	k	a(17, 8, k)	k	a(17, 16, k)	6	+ 0.15805244
2	+ 0.03827541	2	+ 0.31577612					k	a(17, 16, k)	8	+ 0.27587335
4	+ 0.07831738	4	+ 0.25747899	1	+ 0.30473523	1	+ 0.28744274	1	+ 0.19616361	10	+ 0.08927115
6	+ 0.12233046	6	- 0.14706776	3	+ 0.30879837	3	+ 0.04599084	3</td			

$k$	$b(18, 7, k)$	$k$	$b(18, 15, k)$	$k$	$b(19, 3, k)$	$k$	$a(19, 10, k)$	$k$	$a(19, 18, k)$	$k$	$b(20, 5, k)$
16	+ 0.66811526	0	+ 0.00000000	7	+ 0.27778787	17	+ 0.37727605	1	+ 0.18104221	0	+ 0.00000000
18	- 0.29930042	2	+ 0.37052898	9	+ 0.32465757	19	- 0.07712273	3	- 0.44437632	2	+ 0.13582024
$k$	$a(18, 8, k)$	6	- 0.25151058	11	+ 0.34242329	$k$	$b(19, 11, k)$	7	- 0.37221265	6	+ 0.24367750
0	+ 0.15579390	10	- 0.42321492	17	- 0.02434661	1	+ 0.17905834	11	- 0.08355794	10	+ 0.17669018
2	+ 0.19611702	12	+ 0.21650178	19	- 0.90082456	2	+ 0.31311271	13	+ 0.02468757	12	- 0.00637499
4	- 0.07331478	14	- 0.06831898	5	+ 0.31650593	5	+ 0.03638619	15	- 0.00502688	14	- 0.24224960
6	- 0.30425632	16	+ 0.01243734	$k$	$a(19, 4, k)$	7	- 0.31657455	17	+ 0.00063301	16	- 0.45899962
8	- 0.29618144	18	- 0.00100765	9	- 0.22430336	19	- 0.00003724	18	- 0.47174962	20	+ 0.61327450
10	+ 0.00961295	1	+ 0.28553752	11	+ 0.28518360	$k$	$b(19, 19, k)$	$k$	$a(20, 6, k)$		
12	+ 0.39124162	$k$	$a(18, 16, k)$	3	+ 0.23972936	13	+ 0.33367954	$k$	$b(19, 19, k)$	$k$	$a(20, 6, k)$
14	+ 0.32839764	6	+ 0.20789774	7	+ 0.0288233	15	- 0.53772744	5	+ 0.45655327	0	+ 0.14374028
16	- 0.59753556	0	- 0.20789774	9	- 0.11628225	17	+ 0.25459282	1	+ 0.55800955	2	+ 0.23933789
18	+ 0.19012495	2	- 0.21167769	11	- 0.26463924	19	- 0.04224186	3	+ 0.30436885	4	+ 0.10765350
$k$	$b(18, 9, k)$	6	+ 0.47627481	13	- 0.38582305	$k$	$a(19, 12, k)$	7	- 0.16389092	6	- 0.07077938
0	+ 0.00000000	10	+ 0.26459712	17	- 0.26598420	1	+ 0.25634669	11	- 0.02314299	8	- 0.23963664
2	+ 0.27105405	12	- 0.10467578	19	+ 0.75133962	3	- 0.13571295	13	+ 0.00585325	10	- 0.33139092
4	+ 0.28912432	14	+ 0.02718663	5	- 0.33174277	5	- 0.00103293	12	- 0.28116787	16	+ 0.05035842
6	+ 0.01204685	16	- 0.00422466	$k$	$b(19, 5, k)$	7	+ 0.01623916	17	+ 0.00011477	14	- 0.58752975
8	- 0.31338651	18	+ 0.00029932	9	+ 0.38151473	19	- 0.00000604	16	+ 0.62108723	20	- 0.46581542
10	- 0.30925605	1	+ 0.07524574	11	+ 0.01159940	$k$	$a(20, 0, k)$	$k$	$b(20, 7, k)$		
12	+ 0.17217804	$k$	$b(18, 17, k)$	3	+ 0.20883712	13	- 0.49692871	$k$	$b(20, 0, k)$	$k$	$b(20, 7, k)$
14	+ 0.51662139	5	+ 0.29341816	15	+ 0.43323750	$k$	$a(20, 0, k)$	$k$	$b(20, 7, k)$		
16	- 0.47604902	0	+ 0.00000000	7	+ 0.30216869	17	- 0.15601190	$k$	$a(20, 0, k)$	$k$	$b(20, 7, k)$
18	+ 0.11570636	2	+ 0.34787945	9	+ 0.21793003	19	+ 0.02145889	$k$	$a(20, 0, k)$	$k$	$b(20, 7, k)$
$k$	$a(18, 10, k)$	6	- 0.50600647	11	+ 0.03935741	$k$	$b(19, 13, k)$	0	+ 0.14056403	0	+ 0.00000000
8	+ 0.44275566	13	- 0.20869783	$k$	$b(19, 13, k)$	2	+ 0.28247317	2	+ 0.18720013	4	+ 0.29181196
0	+ 0.16126200	10	+ 0.12163617	17	- 0.49764046	1	+ 0.22266248	6	+ 0.28662719	4	+ 0.25920018
2	+ 0.13470120	12	- 0.03892357	19	+ 0.59398613	3	+ 0.27505366	8	+ 0.29397661	6	+ 0.08664208
4	- 0.22159997	14	+ 0.00851453	5	- 0.18336910	10	+ 0.32193522	10	- 0.16142532	12	- 0.35355654
6	- 0.32404177	16	- 0.00114481	$k$	$a(19, 6, k)$	7	- 0.31791212	12	+ 0.34652749	14	- 0.31858941
8	+ 0.00928699	18	+ 0.00007155	9	+ 0.22282453	14	+ 0.38438344	16	+ 0.44844735	18	+ 0.07252442
10	+ 0.39151310	1	+ 0.28154309	11	+ 0.31712301	16	+ 0.51216317	18	+ 0.58219480	20	+ 0.67085088
12	+ 0.14466482	$k$	$a(18, 18, k)$	3	+ 0.17615307	13	- 0.51216317	18	+ 1.13527986	20	- 0.33542544
14	- 0.57131062	5	- 0.00301116	15	+ 0.30260552	20	+ 0.1003647	$k$	$b(20, 1, k)$	$k$	$a(20, 8, k)$
16	+ 0.34111657	0	+ 0.28989954	7	- 0.19683032	17	- 0.08653069	$k$	$b(20, 1, k)$	$k$	$a(20, 8, k)$
18	- 0.06559934	2	- 0.52181917	9	- 0.32761103	19	+ 0.01003647	$k$	$b(20, 1, k)$	$k$	$a(20, 8, k)$
$k$	$b(18, 11, k)$	6	- 0.22137783	13	- 0.10125642	$k$	$a(19, 14, k)$	0	+ 0.00000000	0	+ 0.14647844
8	+ 0.10217438	15	+ 0.29347199	$k$	$b(19, 14, k)$	2	+ 0.02756656	2	+ 0.20464930	4	- 0.01265659
0	+ 0.00000000	10	- 0.03649085	17	+ 0.63671409	1	+ 0.24101068	4	+ 0.05649390	6	- 0.23515705
2	+ 0.31787019	12	+ 0.00973089	19	- 0.44449852	3	- 0.26163192	6	+ 0.08606754	8	- 0.31686201
4	+ 0.18494266	14	- 0.00182454	5	- 0.22253749	8	+ 0.11917044	10	- 0.16848398	12	+ 0.15822963
6	- 0.24273724	16	+ 0.00021465	$k$	$b(19, 7, k)$	7	+ 0.33557491	10	+ 0.15708830	12	+ 0.41624571
8	+ 0.31685980	18	- 0.00001192	9	+ 0.12075319	12	+ 0.20290572	14	+ 0.41192317	16	+ 0.63291852
10	+ 0.19844153	1	+ 0.10719774	11	- 0.48347543	13	+ 0.41779481	16	+ 0.35011184	18	+ 0.29893314
12	+ 0.40739117	3	+ 0.27000073	13	+ 0.08991835	15	- 0.18435186	18	+ 0.51134755	20	+ 0.22855391
14	- 0.51180536	5	+ 0.29694348	15	+ 0.10944113	17	- 0.09759772	16	- 0.09846605	18	+ 0.45770169
16	+ 0.22050855	$k$	$a(19, 0, k)$	7	+ 0.15759964	17	+ 0.04131426	20	+ 0.10791970	20	- 0.53530835
18	- 0.03445446	9	- 0.09898956	19	- 0.00427957	$k$	$a(20, 2, k)$	$k$	$b(20, 9, k)$		
$k$	$a(18, 12, k)$	3	+ 0.28861638	11	- 0.33650403	$k$	$b(19, 15, k)$	0	+ 0.14089991	0	+ 0.00000000
5	+ 0.29170318	13	- 0.35556841	$k$	$b(19, 15, k)$	2	+ 0.27727013	2	+ 0.27775484	4	+ 0.23533664
0	+ 0.16949871	7	+ 0.30877194	17	+ 0.67108987	1	+ 0.27727013	4	+ 0.26542164	6	+ 0.29301718
2	+ 0.053840										

k	a(20, 12, k)	k	b(20, 19, k)	k	a(21, 4, k)	k	b(21, 11, k)	k	a(21, 18, k)	k	b(22, 3, k)
0	+ 0.15605977	0	+ 0.00000000	21	+ 0.78066842	17	- 0.56223838	13	- 0.20669929	0	+ 0.00000000
2	+ 0.09856406	2	+ 0.32481859	21	+ 0.31986354	15	+ 0.07450699	2	+ 0.07157765		
4	- 0.25945540	4	- 0.48722789	k	b(21, 5, k)	21	- 0.05934120	17	- 0.01773129	4	+ 0.14025743
6	- 0.25897225	6	+ 0.44974882	1	+ 0.06478638	k	a(21, 12, k)	21	- 0.00016575	6	+ 0.20297098
8	+ 0.14851508	8	- 0.29983255	3	+ 0.18242482	1	+ 0.25039105	k	b(21, 19, k)	10	+ 0.25626812
10	+ 0.35784715	10	+ 0.14991627	5	+ 0.26523228	1	- 0.06369597	12	+ 0.31678392		
12	- 0.09993413	12	- 0.05621860	7	+ 0.29333004	3	+ 0.25224939	14	+ 0.31089675		
14	- 0.45602604	14	+ 0.01543256	9	+ 0.30814378	5	- 0.15038967	16	+ 0.26574936		
16	+ 0.47085525	16	- 0.00293953	11	+ 0.13607131	7	- 0.04648878	18	+ 0.15641132		
18	- 0.18426871	18	+ 0.00054810	13	- 0.04785382	9	+ 0.24492486	20	- 0.08526854		
20	+ 0.02681522	20	- 0.000001934	15	- 0.27047814	11	+ 0.30288133	7	+ 0.47203997	22	- 0.92846181
k	b(20, 13, k)	k	a(20, 20, k)	17	- 0.46189344	13	- 0.19283211	9	- 0.40337961		
0	+ 0.00000000	0	+ 0.28247081	19	- 0.44649700	15	- 0.40428239	11	+ 0.23709280	k	a(22, 4, k)
2	+ 0.31544234	2	- 0.51358329	21	+ 0.63125437	17	+ 0.50120945	13	- 0.10002451	0	+ 0.13525810
4	+ 0.12061030	4	+ 0.38518746	k	a(21, 6, k)	21	+ 0.03266625	15	+ 0.03008098	2	+ 0.25411404
6	- 0.29403222	6	- 0.23703844	1	+ 0.26931195	k	b(21, 13, k)	21	- 0.00616677	4	+ 0.20702025
8	- 0.20685463	8	+ 0.11851922	3	+ 0.18662845	1	+ 0.18608074	k	a(21, 20, k)	8	+ 0.03170763
10	+ 0.31423459	10	- 0.04740769	5	+ 0.04146468	1	+ 0.28891484	12	- 0.08377300		
12	+ 0.21067003	12	+ 0.01481490	7	- 0.12788950	3	- 0.04331839	14	- 0.31385978		
14	- 0.51905800	14	- 0.00348586	9	- 0.26957277	5	- 0.32997314	16	- 0.58716877		
16	+ 0.34849077	16	+ 0.00058098	11	- 0.32577510	7	- 0.07892930	18	- 0.37951543		
18	- 0.10765444	18	- 0.00006116	13	- 0.24505206	9	+ 0.36131016	20	- 0.18458046		
20	+ 0.01320290	20	+ 0.00000306	15	- 0.00320330	11	+ 0.10303778	9	+ 0.23315475	22	+ 0.79369597
k	a(20, 14, k)	17	+ 0.35556574	13	+ 0.60446176	15	- 0.50994546	11	- 0.10686259		
0	+ 0.16436314	k	a(21, 0, k)	19	- 0.48593984	17	+ 0.39030527	13	+ 0.03714475	k	b(22, 5, k)
2	+ 0.02201994	21	- 0.48593984	19	- 0.12994410	15	- 0.00952430	19	- 0.00019049	2	+ 0.00000000
4	- 0.33580413	1	+ 0.27481670	k	b(21, 7, k)	21	+ 0.01680665	17	+ 0.00170435	0	+ 0.11832619
6	- 0.04403989	3	+ 0.27722737	1	+ 0.09198754	k	a(21, 14, k)	21	+ 0.00001003	4	+ 0.21653213
8	+ 0.37095134	5	+ 0.28224506	1	+ 0.23965175	k	b(21, 21, k)	8	+ 0.27601929		
10	- 0.03048915	7	+ 0.29030920	3	+ 0.28922732	1	+ 0.23951741	10	+ 0.28138131		
12	- 0.43298830	9	+ 0.30221922	5	+ 0.21012580	3	- 0.17018343	12	+ 0.22242787		
14	+ 0.46178539	11	+ 0.31939088	7	+ 0.01905910	5	- 0.29624522	14	+ 0.09692288		
16	- 0.22694988	13	+ 0.34444114	9	- 0.21171484	7	+ 0.1885827	16	- 0.08519000		
18	+ 0.05714225	15	+ 0.38271238	11	- 0.35942286	9	+ 0.34094868	18	- 0.29406695		
20	- 0.00599072	17	+ 0.44716920	13	- 0.27900405	11	- 0.15840150	19	+ 0.31479489	20	- 0.46205270
k	b(20, 15, k)	21	+ 1.13495802	17	+ 0.12144882	13	- 0.36168613	9	+ 0.08394530	22	- 0.42198608
0	+ 0.00000000	k	b(21, 1, k)	19	+ 0.66796851	15	+ 0.49161249	11	- 0.03147949		
2	+ 0.34189209	21	- 0.35567154	17	- 0.26909345	13	+ 0.00925867	15	- 0.00205748	k	a(22, 6, k)
4	- 0.05698202	1	+ 0.01278563	k	a(21, 8, k)	21	- 0.00803512	17	+ 0.00032487	0	+ 0.13667149
6	- 0.34948969	3	+ 0.03869335	1	+ 0.26478537	k	b(21, 15, k)	19	- 0.00003249	2	+ 0.23537868
8	+ 0.18935562	5	+ 0.06565614	1	+ 0.11845661	5	- 0.10136758	1	+ 0.22632268	4	+ 0.12978566
10	+ 0.29244924	7	+ 0.09454485	3	+ 0.21265446	5	- 0.27607296	3	+ 0.24021969	6	- 0.01930363
12	- 0.49282138	9	+ 0.12654464	5	- 0.29120716	5	- 0.23227854	k	a(22, 0, k)	10	- 0.28854769
14	+ 0.33967469	11	+ 0.16345349	7	- 0.10018523	7	- 0.24299909	12	- 0.31309457		
16	- 0.13015620	13	+ 0.20832308	9	+ 0.21454299	9	+ 0.30340068	0	+ 0.13417814	14	- 0.20780853
18	+ 0.02734793	15	+ 0.26708087	11	+ 0.41214410	11	+ 0.16133051	2	+ 0.26942118	16	+ 0.04009865
20	- 0.00248039	17	+ 0.35367130	13	+ 0.15671250	13	- 0.48377484	4	+ 0.27269350	18	+ 0.37893221
k	a(20, 16, k)	21	+ 1.10886354	17	- 0.64493220	15	+ 0.39153267	6	+ 0.27842236	20	+ 0.58715876
0	+ 0.17753249	k	a(21, 2, k)	19	+ 0.24712355	17	- 0.16492612	8	+ 0.28708439	22	- 0.50495652
2	- 0.07814827	1	+ 0.27422121	k	b(21, 9, k)	21	- 0.00354315	12	+ 0.34212433	k	b(22, 7, k)
4	- 0.32873240	3	+ 0.26700486	1	+ 0.12067136	k	a(21, 16, k)	16	+ 0.34257258		
6	+ 0.26502457	5	+ 0.25224564	1	+ 0.28050798	1	+ 0.22480880	18	+ 0.44601404	2	+ 0.16355523
8	+ 0.17485349	5	+ 0.18406832	1	+ 0.24377108	3	- 0.27805299	20	+ 0.58052621	4	+ 0.26751543
10	- 0.46888963	7	+ 0.22922516	3	+ 0.01867978	5	- 0.15973257	22	+ 1.13466487	6	+ 0.26881194
12	+ 0.41390487	9	+ 0.19667247	5	- 0.24597913	5	- 0.32762173	8	+ 0.15551908		
14	- 0.21011476	11	+ 0.15242117	7	- 0.06860764	7	- 0.35496127	k	b(22		

$k$	$b(22, 9, k)$	$k$	$a(22, 15, k)$	$k$	$a(22, 22, k)$	$k$	$b(23, 5, k)$	$k$	$a(23, 12, k)$	$k$	$a(23, 18, k)$	
12	- 0.29479381	0	+ 0.15992163	12	+ 0.02059925	21	- 0.13126273	3	+ 0.01160682	15	- 0.33149862	
14	- 0.01424897	2	+ 0.00380766	14	- 0.00572201	23	+ 0.66377129	5	- 0.26311696	17	+ 0.14523554	
16	+ 0.37203060	4	+ 0.32743858	16	+ 0.00120463	7	+ 0.23431808	19	- 0.04001808			
18	+ 0.34847540	6	+ 0.03426892	18	- 0.00001806	9	+ 0.07622974	21	+ 0.00642868			
20	- 0.58028686	8	+ 0.34725840	20	+ 0.00001721	11	+ 0.32606754	23	- 0.00046286			
22	+ 0.17823096	10	- 0.15508884	22	- 0.00000078	1	+ 0.25844184	13	+ 0.14655853			
	$a(22, 10, k)$	12	- 0.31505699			3	+ 0.19217470	15	- 0.31901242	$b(23, 19, k)$		
		14	+ 0.48127246			5	+ 0.07309315	17	- 0.2853438			
		16	- 0.31640649			7	- 0.21068876	21	+ 0.26890481	3	+ 0.27655560	
0	+ 0.14175189	18	+ 0.11670177	$a(23, 0, k)$	9	- 0.29840016	23	+ 0.04566308	5	- 0.35749090		
2	+ 0.17212730	20	- 0.02368292			11	- 0.20523513			7	+ 0.16075094	
4	- 0.07993528	22	+ 0.00207830	1	+ 0.26282763	13	- 0.17049176	$b(23, 13, k)$	9	+ 0.24208612		
6	- 0.27820612			3	+ 0.26475311	15	+ 0.07959358	11	- 0.45533869			
8	- 0.24751724	$b(22, 17, k)$	5	+ 0.26873436	17	+ 0.27505752	19	+ 0.39080655	1	+ 0.38677608		
10	+ 0.02233003			7	+ 0.28422611	21	+ 0.56942862	3	+ 0.28521635	15	- 0.20757876	
12	+ 0.31182475	0	+ 0.00000000	9	+ 0.29708702	23	- 0.52294465	5	+ 0.05519086	17	+ 0.07457167	
14	+ 0.28453248	2	+ 0.33006048	11	+ 0.3150229			7	- 0.26108762	19	- 0.01758200	
16	- 0.17496810	4	- 0.10155707	13	+ 0.34088932	$b(23, 7, k)$	9	- 0.23951780	21	+ 0.00248073		
18	- 0.50859213	6	- 0.30915167	15	+ 0.37984810	17	+ 0.44496491	1	+ 0.14884101	23	- 0.00015970	
20	+ 0.47025280	8	+ 0.25807444	19	+ 0.44496491	21	+ 0.08010798	13	+ 0.34934760			
22	- 0.11360039	10	+ 0.17608204	19	+ 0.37984810	23	+ 0.09952049	21	+ 0.17668852	3	+ 0.19089435	
	$b(22, 11, k)$	12	- 0.46143456	21	+ 0.57980277	3	+ 0.21391471	15	- 0.09085362	$a(23, 20, k)$		
		14	+ 0.40003470	23	+ 1.13439672	5	+ 0.27504644	17	- 0.45449940	7	- 0.22026271	
		16	- 0.19893423			7	+ 0.23622726	19	+ 0.15962496	9	+ 0.44367204	
0	+ 0.00000000	18	+ 0.06045290	$b(23, 1, k)$	9	+ 0.09952049	21	+ 0.02524122	5	+ 0.15733051		
2	+ 0.24626268	20	- 0.01054041			11	- 0.09711863	23	+ 0.02524122	7	+ 0.22026271	
4	+ 0.25922387	22	+ 0.00081518	1	+ 0.01113669	13	- 0.27944311			11	+ 0.10854019	
6	+ 0.01143635			3	+ 0.03380592	15	- 0.34647003	$a(23, 14, k)$	9	- 0.303284619		
8	- 0.26837295	$a(22, 18, k)$	5	+ 0.05719047	17	- 0.19746187			13	+ 0.00672511		
10	- 0.27080684			7	+ 0.08195058	19	+ 0.20445825	1	+ 0.23560566	15	- 0.00084104	
12	+ 0.07392839	0	+ 0.17298169	9	+ 0.10887720	21	+ 0.65609738	3	- 0.10097386	21	+ 0.00004871	
14	+ 0.38574791	2	- 0.09747381	11	+ 0.13909349	23	- 0.39365843	5	- 0.30389703	17	+ 0.00001272	
16	+ 0.09995030	4	- 0.29675126	13	+ 0.17434584			7	- 0.05238493	19	+ 0.27167014	
18	- 0.56291088	6	+ 0.29939139	15	+ 0.21763819	$a(23, 8, k)$	9	+ 0.30299749	21	- 0.12237726		
20	+ 0.35048362	8	+ 0.08363950	17	+ 0.27484595	23	+ 0.11051201	15	- 0.32058417	$b(23, 21, k)$		
22	- 0.06850362	10	- 0.41677183	19	+ 0.35984032	1	+ 0.25486992	13	- 0.18833303			
	$a(22, 12, k)$	12	+ 0.44229418	21	+ 0.51823893	3	+ 0.13723765	15	- 0.51106942	7	+ 0.34891964	
		14	- 0.27145255	23	+ 1.11051201	5	- 0.04938197	17	+ 0.51106942	1	- 0.07029516	
		16	+ 0.10789082			7	- 0.22257870	19	- 0.34807622	3	- 0.27113849	
0	+ 0.14586150	18	- 0.02765571	$a(23, 2, k)$	9	- 0.29407634	21	+ 0.10760273	5	+ 0.41875854		
2	+ 0.12618177	20	+ 0.00419577			11	- 0.20664554	23	- 0.01312228	7	+ 0.27167014	
4	- 0.18948590	22	- 0.00028821	1	+ 0.26235106	13	+ 0.26685876	$b(23, 15, k)$	9	- 0.13025280		
6	- 0.29336805			3	+ 0.25658511	15	+ 0.29382776			13	- 0.04646445	
8	- 0.03265738	$b(22, 19, k)$	5	+ 0.24483643	17	+ 0.38216325			15	- 0.01207858		
10	+ 0.30303919	7	+ 0.226663579	19	+ 0.05480864	1	+ 0.19110143	11	- 0.31122232	19	+ 0.00217521	
12	+ 0.22911912	0	+ 0.00000000	9	+ 0.20117570	21	- 0.65989598	3	+ 0.26390197	15	- 0.000024279	
14	- 0.26572188	2	+ 0.33404512	11	+ 0.16714542	23	+ 0.28281256	5	- 0.10530079	17	+ 0.000001272	
16	- 0.34542652	4	- 0.29753006	13	+ 0.12237724			7	- 0.31122232	19	+ 0.27167014	
18	+ 0.350453045	6	- 0.06085842	15	+ 0.06310484	$b(23, 9, k)$	9	+ 0.04578634	21	- 0.12237726		
20	- 0.24103692	8	+ 0.38949390	17	- 0.01792989			11	+ 0.35359570	23	+ 0.000001272	
22	+ 0.03896461	10	- 0.45653817	19	- 0.13728523	1	+ 0.10469850	13	- 0.08734830	$a(23, 22, k)$		
	$b(22, 13, k)$	12	+ 0.31932772	21	- 0.34725086	3	+ 0.25503481	15	- 0.40001614			
		14	- 0.15174829	23	- 1.04175260	5	+ 0.25705329	17	+ 0.46686729	$a(23, 22, k)$		
0	+ 0.00000000	16	+ 0.04990935			7	+ 0.09790216	19	- 0.23715872	1	+ 0.15762582	
2	+ 0.28154479	18	- 0.01098466	$b(23, 3, k)$	9	- 0.14044279	21	+ 0.06059744	3	- 0.40012709		
4	+ 0.18693662	20	+ 0.00146546			11	- 0.30622878	23	- 0.00638615	5	+ 0.47634478	

k	a(24, 0,k)	k	a(24, 6,k)	k	a(24, 12,k)	k	a(24, 18,k)	k	a(24, 24,k)	k	b(25, 5,k)
22	+ 0.57914069	22	+ 0.55146658	22	- 0.29610543	22	+ 0.00928876	22	- 0.00000479	19	- 0.34272680
24	+ 1.13415051	24	- 0.53997769	24	+ 0.05271574	24	- 0.00069963	24	+ 0.00000020	21	- 0.45095631
k	b(24, 1,k)	k	b(24, 7,k)	k	b(24, 13,k)	k	b(24, 19,k)	k	a(25, 0,k)	k	a(25, 6,k)
0	+ 0.00000000	0	+ 0.00000000	0	+ 0.00000000	0	+ 0.00000000	k	a(25, 0,k)	k	a(25, 6,k)
2	+ 0.02106887	2	+ 0.14443979	2	+ 0.25230809	2	+ 0.31849854	1	+ 0.25228442	1	+ 0.24872202
4	+ 0.04256771	4	+ 0.24466331	4	+ 0.22141322	4	- 0.13649937	3	+ 0.25385141	3	+ 0.19465202
6	+ 0.06497177	6	+ 0.26669387	6	- 0.07181702	6	- 0.26581457	5	+ 0.25707492	5	+ 0.09578115
8	+ 0.0885845	8	+ 0.19605509	8	- 0.29573706	8	+ 0.29993941	7	+ 0.26214877	7	- 0.03002308
10	+ 0.11499328	10	+ 0.04495897	10	- 0.15105486	10	+ 0.07205308	9	+ 0.26940548	9	- 0.15769677
12	+ 0.14447874	12	- 0.14395315	12	+ 0.22907562	12	- 0.40675123	11	+ 0.27938346	11	- 0.25725348
14	+ 0.17904303	14	- 0.29928313	14	+ 0.30640845	14	+ 0.43321925	13	+ 0.29295674	13	- 0.29720545
16	+ 0.22167232	16	- 0.3123911	16	- 0.17017684	16	- 0.26369416	15	+ 0.31159945	15	- 0.24967144
18	+ 0.27822139	18	- 0.15731027	18	- 0.41340618	18	+ 0.10339210	17	+ 0.33797824	17	- 0.09835451
20	+ 0.36253090	20	+ 0.23929078	20	+ 0.48672895	20	- 0.02606396	19	+ 0.37748219	19	+ 0.14778446
22	+ 0.52015303	22	+ 0.64783601	22	- 0.20056810	22	+ 0.00388124	21	+ 0.44313126	21	+ 0.42596699
24	+ 1.11123602	24	- 0.41146341	24	+ 0.03002134	24	- 0.00026134	23	+ 0.57853248	23	+ 0.53342465
k	a(24, 2,k)	k	a(24, 8,k)	k	a(24, 14,k)	k	a(24, 20,k)	25	+ 1.13392366	25	- 0.55612357
0	+ 0.12880472	0	+ 0.13226062	0	+ 0.14191911	0	+ 0.16895992	k	b(25, 1,k)	k	b(25, 7,k)
2	+ 0.25502472	2	+ 0.20878599	2	+ 0.09872634	2	- 0.11301667	1	+ 0.00989541	1	+ 0.07060907
4	+ 0.24718268	4	+ 0.06243358	4	- 0.22112685	4	- 0.26639644	3	+ 0.02987061	3	+ 0.19209175
6	+ 0.23380660	6	- 0.11768325	6	- 0.25185290	6	+ 0.31967572	5	+ 0.05041654	5	+ 0.25850312
8	+ 0.21438783	8	- 0.25520454	8	+ 0.07650032	8	+ 0.006655991	7	+ 0.07197624	7	+ 0.24655881
10	+ 0.18090700	10	- 0.27956795	10	+ 0.31875688	10	- 0.35665782	9	+ 0.09510257	9	+ 0.15184467
12	+ 0.15361255	12	- 0.15651828	12	+ 0.06081051	12	+ 0.41973986	11	+ 0.12054153	11	- 0.00633009
14	+ 0.10877827	14	+ 0.08208685	14	- 0.35504097	14	- 0.32214999	13	+ 0.14937922	13	- 0.18317723
16	+ 0.04985671	16	+ 0.31890571	16	- 0.09866903	16	+ 0.15405082	15	+ 0.18332904	15	- 0.31144267
18	- 0.03033952	18	+ 0.35970543	18	+ 0.50319118	18	- 0.05053010	17	+ 0.22536215	17	- 0.31205440
20	- 0.14824991	20	+ 0.00850789	20	- 0.38353142	20	+ 0.01103125	19	+ 0.28131532	19	- 0.11834129
22	- 0.35579978	22	- 0.66361497	22	+ 0.12646914	22	- 0.00145457	21	+ 0.36500180	21	+ 0.27017539
24	- 0.104516186	24	+ 0.29990292	24	- 0.01615231	24	+ 0.00008810	23	+ 0.52191395	23	+ 0.63841031
k	b(24, 3,k)	k	b(24, 9,k)	k	b(24, 15,k)	k	b(24, 21,k)	25	+ 1.11190563	25	- 0.42852199
0	+ 0.00000000	0	+ 0.00000000	0	+ 0.00000000	0	+ 0.00000000	k	a(25, 2,k)	k	a(25, 8,k)
2	+ 0.06299485	2	+ 0.18295691	2	+ 0.28120513	2	+ 0.31841832	1	+ 0.25189600	1	+ 0.24584177
4	+ 0.12384702	4	+ 0.27007925	4	+ 0.13964609	4	- 0.30975388	3	+ 0.24720228	3	+ 0.14964282
6	+ 0.18030857	6	+ 0.20924646	6	- 0.22738719	6	- 0.00794241	5	+ 0.23766585	5	- 0.00916180
8	+ 0.22990016	8	+ 0.02130182	8	- 0.24418936	8	+ 0.33953791	7	+ 0.22296809	7	- 0.17200485
10	+ 0.26973409	10	- 0.19769758	10	+ 0.16643428	10	- 0.45201641	9	+ 0.20257324	9	- 0.27168905
12	+ 0.29623157	12	- 0.30959593	12	+ 0.31105856	12	+ 0.35483872	11	+ 0.17563727	11	- 0.25455345
14	+ 0.30461520	14	- 0.20375748	14	- 0.18617247	14	- 0.19338409	13	+ 0.14083608	13	- 0.10527529
16	+ 0.28787810	16	+ 0.10789444	16	- 0.33606149	16	+ 0.07590777	15	+ 0.09602460	15	+ 0.13075984
18	+ 0.23434215	18	+ 0.40387413	18	+ 0.48929545	18	- 0.02128221	17	+ 0.03749532	17	+ 0.33582058
20	+ 0.12043880	20	+ 0.25769966	20	- 0.27293629	20	+ 0.00407403	19	- 0.04187789	19	+ 0.33402876
22	- 0.12043879	22	- 0.61314747	22	+ 0.07413342	22	- 0.00047950	21	- 0.15840766	21	- 0.03463052
24	- 0.94343723	24	+ 0.20882559	24	- 0.00817904	24	+ 0.00002627	23	- 0.36370036	23	- 0.66526326
k	a(24, 4,k)	k	a(24, 10,k)	k	a(24, 16,k)	k	a(24, 22,k)	25	- 1.04831279	25	+ 0.31648446
0	+ 0.12946022	0	+ 0.13457439	0	+ 0.14771409	0	+ 0.19296583	k	b(25, 3,k)	k	b(25, 9,k)
2	+ 0.24593111	2	+ 0.18003263	2	+ 0.04347438	2	- 0.23749640	1	+ 0.02977828	1	+ 0.09203103
4	+ 0.20758169	4	- 0.03214868	4	- 0.28903608	4	- 0.09330216	3	+ 0.08841004	3	+ 0.23207824
6	+ 0.14576686	6	- 0.23092907	6	- 0.11832452	6	+ 0.37520863	5	+ 0.14422633	5	+ 0.25824579
8	+ 0.06378411	8	- 0.27476126	8	+ 0.28554260	8	- 0.45484802	7	+ 0.19520586	7	+ 0.14978567
10	- 0.03341868	10	- 0.10937480	10	+ 0.15633555	10	+ 0.36223191	9	+ 0.23908253	9	- 0.04948196
12	- 0.13879892	12	+ 0.16976296	12	- 0.33016783	12	- 0.21130195	11	+ 0.27317902	11	- 0.23935371
14	- 0.24240748	14	+ 0.33615380	14	- 0.09479814	14	+ 0.09301330	13	+ 0.29413510	13	- 0.29954600
16	- 0.32979013	16	+ 0.17159999	16	+ 0.46408588</						

$k$	$b(25, 11, k)$	$k$	$b(25, 17, k)$	$k$	$b(25, 23, k)$	$k$	$b(26, 3, k)$	$k$	$b(26, 9, k)$	$k$	$a(26, 14, k)$
19	- 0.10093476	19	- 0.33469698	19	+ 0.00461939	8	+ 0.20735067	0	+ 0.00000000	22	- 0.44436739
21	- 0.53079810	21	+ 0.12759606	21	- 0.00074084	10	+ 0.24602102	2	+ 0.16346228	24	+ 0.16597490
23	+ 0.43235314	23	- 0.02637298	23	+ 0.00007442	12	+ 0.27495022	4	+ 0.25395872	26	- 0.02312765
25	- 0.09766923	25	+ 0.00233685	25	- 0.00000353	14	+ 0.29096499	6	+ 0.22675456		
						16	+ 0.28973812	8	+ 0.08571007	$k$	$b(26, 15, k)$
						18	+ 0.26480064	10	- 0.11121246		
1	+ 0.23700296	1	+ 0.212424818	1	+ 0.14834245	20	+ 0.20518345	12	- 0.26542861	0	+ 0.00000000
3	+ 0.02649725	3	- 0.21374761	3	- 0.38145202	22	+ 0.08839987	14	- 0.27918016	2	+ 0.25508870
5	- 0.21408075	5	- 0.21374761	5	+ 0.46621913	24	- 0.15001190	16	- 0.10887863	4	+ 0.18336811
7	- 0.26512444	7	+ 0.24046606	7	- 0.40794174	26	- 0.95632586	18	+ 0.20216560	6	- 0.13540474
9	- 0.05750490	9	+ 0.19017251	9	+ 0.27767963	$k$	$a(26, 4, k)$	20	+ 0.40594208	8	- 0.28413607
11	+ 0.23178919	11	- 0.32015573	11	- 0.15083660	22	+ 0.17035070	10	- 0.02854253		
13	+ 0.29134642	13	- 0.06133510	13	+ 0.06567483	24	- 0.63597592	12	+ 0.2988244		
15	- 0.01728882	15	+ 0.42346953	15	- 0.02273360	26	+ 0.23849097	14	+ 0.15662082		
17	- 0.37324673	17	- 0.42371054	17	+ 0.00613446	$k$	$a(26, 10, k)$	16	- 0.31518511		
19	- 0.15391930	19	+ 0.22593293	19	- 0.00124658	20	- 0.18822213				
21	+ 0.55690890	21	- 0.07158008	21	+ 0.00017971	22	+ 0.12848055	22	+ 0.50507324		
23	- 0.32246350	23	+ 0.01281542	23	- 0.000001640	24	+ 0.18427782	24	+ 0.10402216		
25	+ 0.06007875	25	- 0.000100795	25	+ 0.00000071	26	+ 0.00457103	26	- 0.01251210		
						14	- 0.18082594	6	- 0.18424749		
						16	- 0.26855331	8	- 0.27064413	$k$	$a(26, 16, k)$
1	+ 0.13862247	1	+ 0.22998016	1	+ 0.52446977	18	- 0.3685802	10	- 0.18869430		
3	+ 0.27380091	3	+ 0.17938447	3	- 0.44954551	20	- 0.36530381	12	+ 0.03297471	0	+ 0.13845767
5	+ 0.12078728	5	- 0.20283274	5	+ 0.32966671	22	- 0.31664654	14	+ 0.26022484	2	+ 0.07516274
7	- 0.17327809	7	- 0.09861931	7	- 0.20604169	24	- 0.09851226	16	+ 0.30574332	4	+ 0.24120874
9	- 0.28725327	9	+ 0.34467504	9	+ 0.10908090	26	+ 0.83735417	18	+ 0.05655326	6	- 0.20275879
11	- 0.05515523	11	- 0.08683461	11	- 0.04848040	$k$	$b(26, 5, k)$	20	- 0.34576604	8	+ 0.15797934
13	+ 0.28298084	13	- 0.32287422	13	+ 0.01786120	22	- 0.37873103	10	+ 0.28371176		
15	+ 0.24887030	15	+ 0.45592025	15	- 0.00535856	24	+ 0.09279054	12	- 0.08501556		
17	- 0.23579788	17	- 0.31669991	17	+ 0.00127580	26	- 0.16588724	14	- 0.33803614		
19	- 0.36650495	19	+ 0.135648472	19	- 0.00023196	$k$	$b(26, 11, k)$	16	+ 0.10925309		
21	+ 0.50883460	21	- 0.03645650	21	+ 0.00003026	20	+ 0.23379182	22	- 0.46513875		
23	- 0.22446521	23	+ 0.00571874	23	- 0.00000252	24	+ 0.26187192	24	- 0.23864292		
25	+ 0.03513992	25	- 0.00040203	25	+ 0.00000010	26	+ 0.00000010	10	+ 0.19685802	12	- 0.06101941
						12	+ 0.19685802	4	+ 0.25971595	26	+ 0.00640327
						14	+ 0.09878942	6	+ 0.13968276		
1	+ 0.23068174	1	+ 0.19889261	$k$	$a(26, 0, k)$	16	- 0.03763750	8	- 0.09082864	$k$	$b(26, 17, k)$
3	- 0.04871540	3	- 0.29401517	18	- 0.19801337	10	- 0.26818121				
5	- 0.27578101	5	- 0.05616760	0	+ 0.12364597	20	- 0.35314486	12	- 0.23836567	0	+ 0.00000000
7	- 0.16025251	7	+ 0.34085582	2	+ 0.24799848	22	- 0.41458416	14	+ 0.01560803	2	+ 0.27890874
9	+ 0.17992851	9	- 0.17445796	4	+ 0.25015499	24	- 0.31595617	16	+ 0.29554263	4	+ 0.09701174
11	+ 0.29423089	11	- 0.22566292	6	+ 0.25387753	26	+ 0.70540687	18	+ 0.28922788	6	- 0.25768742
13	- 0.04077064	13	+ 0.44537744	8	+ 0.25937952	$k$	$a(26, 6, k)$	20	- 0.15569362	8	- 0.17262382
15	- 0.36288358	15	- 0.38010737	10	+ 0.26700833	22	- 0.51168863	10	+ 0.24405039		
17	- 0.01288269	17	+ 0.20276123	12	+ 0.27731392	24	+ 0.45644437	12	+ 0.21134636		
19	+ 0.48565259	19	- 0.07201410	14	+ 0.29117961	26	+ 0.10777159	14	- 0.29409940		
21	- 0.41570778	21	+ 0.01673279	16	+ 0.31008738	$k$	$a(26, 12, k)$	16	- 0.15810563		
23	+ 0.14599201	23	- 0.00232187	18	+ 0.33671104	20	+ 0.04833066	20	+ 0.47079998		
25	- 0.01949212	25	+ 0.00014680	20	+ 0.37644713	22	- 0.07397569	0	+ 0.13093652	22	+ 0.15333267
						22	+ 0.44235258	2	+ 0.15487920	24	- 0.03342232
						24	+ 0.57797183	12	- 0.08236802	26	+ 0.00308793
						26	+ 1.13371397	14	- 0.28887118	6	- 0.25797748
1	+ 0.16495981	4	+ 0.27540640	$k$	$b(26, 1, k)$	16	- 0.29408336	8	- 0.21494735	$k$	$a(26, 18, k)$
3	+ 0.26844391	3	+ 0.07868754	18	- 0.06436801	10	+ 0.03235620				
5	- 0.00690219	5	- 0.34347737	20	+ 0.17690255	12	+ 0.27322197	0	+ 0.14427918		
7	- 0.28566280	7	+ 0.20780381	0	+ 0.00000000	22	+ 0.43561524	14	+ 0.24689422	2	+ 0.02226022
9	- 0.14185260	9	+ 0.16638448	2	+ 0.01872020	24	+ 0.51542087	16	- 0.08989895	4	- 0.29035064
11	+ 0.25170886</td										

k	a(26,20,k)	k	a(26,26,k)	k	a(27, 4,k)	k	a(27, 10,k)	k	a(27, 16,k)	k	b(27,21,k)
10	- 0.29120093	0	+ 0.26474437	19	- 0.33793088	7	- 0.22791560	1	+ 0.21911039	23	+ 0.01547221
12	- 0.07855411	2	- 0.49166811	21	- 0.35770754	9	- 0.25752492	3	- 0.07887974	25	- 0.00210611
14	+ 0.40463680	4	+ 0.39333448	23	- 0.30160181	11	- 0.13174574	5	- 0.27484054	27	+ 0.00013055
16	- 0.42215562	6	- 0.27041746	25	- 0.07986341	13	+ 0.09482133	7	- 0.08640570		
18	+ 0.25203250	8	+ 0.15906909	27	+ 0.84655213	15	+ 0.28498361	9	+ 0.24245041	k	a(27,22,k)
20	- 0.09685874	10	- 0.07953455			17	+ 0.27733824	11	+ 0.21597961		
22	+ 0.02391502	12	+ 0.03348823	k	b(27, 5,k)	19	+ 0.00252917	13	- 0.18056831	1	+ 0.18834076
24	- 0.00348612	14	- 0.01172088	1	+ 0.04453186	21	- 0.36849950	15	- 0.29644052	3	- 0.29682504
26	+ 0.00022971	16	+ 0.00034882	3	+ 0.12860800	23	- 0.34282341	17	+ 0.19087081	5	- 0.01469058
		18	- 0.00076110	5	+ 0.19796540	25	+ 0.57581019	19	+ 0.32798293	7	+ 0.31904925
		k	b(26,21,k)	7	+ 0.24361978	27	- 0.17640428	21	- 0.48404723	9	- 0.22789232
0	+ 0.00000000	20	+ 0.00001326	9	+ 0.25788524	k	b(27, 11,k)	25	+ 0.26957211	11	- 0.13899315
2	+ 0.30742046	24	+ 0.00000005	11	+ 0.23501968	13	+ 0.17203575	1	+ 0.07273216	13	+ 0.40734287
4	- 0.16395758	13	+ 0.06980607	3	+ 0.24110207	5	+ 0.06527908	7	+ 0.25650028	17	+ 0.25650028
6	- 0.22275784	15	+ 0.056257908	5	+ 0.22690454	17	- 0.05837603	21	- 0.11041296	19	- 0.11041296
8	+ 0.32205953	17	- 0.15984351	7	+ 0.05956961	1	+ 0.16931257	23	+ 0.03305990	21	+ 0.03305990
10	- 0.01657659	k	a(27, 0,k)	19	- 0.21850891	21	- 0.36129632	9	+ 0.25058261	25	- 0.00664382
12	- 0.33967476	21	- 0.36129632	9	- 0.45731079	11	- 0.27882849	3	+ 0.05837603	27	+ 0.0004568
14	+ 0.44215882	1	+ 0.24291766	23	- 0.31145450	13	- 0.18783903	7	- 0.28612959		
16	- 0.31827060	3	+ 0.24421322	25	+ 0.71769949	15	+ 0.08128214	9	+ 0.04596555	k	b(27,23,k)
18	+ 0.15148944	5	+ 0.24686771	27	+ 0.31983612	17	+ 0.24633978	13	+ 0.29624364		
20	- 0.04920808	7	+ 0.25101675		+ 0.23997671	21	- 0.20400679	15	- 0.33502654	3	+ 0.05479289
22	+ 0.01060490	9	+ 0.25688849	k	a(27, 6,k)	19	- 0.48963499	17	- 0.06219489	5	- 0.32697659
24	- 0.00137753	11	+ 0.26184169	21	+ 0.19518106	23	+ 0.47863490	19	+ 0.45092019	7	+ 0.24240341
26	+ 0.00008207	13	+ 0.27543536	3	+ 0.11216303	25	- 0.11798907	21	- 0.40788419	9	+ 0.09827165
		15	+ 0.28956025	5	+ 0.00366409	27	+ 0.18000438	11	- 0.37919269		
		k	a(26,22,k)	7	+ 0.30870473	17	- 0.11247072	k	a(27, 12,k)	25	+ 0.42558015
0	+ 0.16536588	19	+ 0.35354862	9	- 0.11247072	k	a(27, 12,k)	27	+ 0.00397403	15	- 0.30087961
2	- 0.12567807	21	+ 0.37549488	11	- 0.21352131	13	- 0.27611414	1	+ 0.23043801	17	+ 0.15050434
4	- 0.23812687	23	+ 0.44158198	13	- 0.27685031	3	+ 0.05469062	k	a(27, 18,k)	19	- 0.05469143
6	+ 0.33002305	25	+ 0.57745336	15	- 0.19764269	5	- 0.16785906	21	+ 0.01426752	21	+ 0.01426752
8	- 0.05716935	27	+ 1.13351955	17	- 0.03208447	7	- 0.26528424	1	+ 0.21127424	23	- 0.00255024
10	- 0.29425399	k	b(27, 1,k)	19	+ 0.20501383	9	- 0.14684579	3	- 0.15268085	25	+ 0.00028103
12	+ 0.44107125	21	+ 0.00883483	23	+ 0.44291392	11	+ 0.11151754	5	- 0.25751574	27	- 0.00001445
14	- 0.36053857	1	+ 0.26664585	25	+ 0.49754648	13	+ 0.29198745	7	+ 0.09922540	k	a(27,24,k)
16	+ 0.19981113	3	+ 0.04489246	27	- 0.58599918	15	+ 0.19234716	9	+ 0.29044594		
18	- 0.07883294	5	+ 0.06390574	27	+ 0.15314065	17	- 0.08324103	11	- 0.31878788	1	+ 0.17013333
20	+ 0.02206235	7	+ 0.08408649	k	b(27, 7,k)	19	- 0.37216301	13	+ 0.16636359	3	- 0.35160888
22	- 0.00419665	9	+ 0.10595419	21	+ 0.06286632	23	+ 0.55283558	17	+ 0.29763463	5	+ 0.21266666
24	+ 0.00048926	11	+ 0.13022733	1	+ 0.17351104	25	- 0.37216378	19	- 0.46760230	7	+ 0.11559059
26	- 0.00002649	13	+ 0.15796807	3	+ 0.24159800	27	+ 0.07557349	21	+ 0.30556898	9	- 0.37612810
		15	+ 0.28956025	5	+ 0.18445001	k	b(27, 13,k)	25	+ 0.02195028	13	+ 0.43020556
		k	a(26,23,k)	7	+ 0.23187192	17	- 0.37216301	27	- 0.00187337	15	+ 0.17864877
0	+ 0.00000000	19	+ 0.28678895	9	+ 0.0618805	11	- 0.09519071	1	+ 0.12229870	17	- 0.07432140
2	+ 0.30427322	21	+ 0.36938417	11	- 0.24504439	13	- 0.27685031	3	+ 0.25927325	k	b(27, 19,k)
4	- 0.31750249	23	+ 0.52504439	13	- 0.31730949	5	+ 0.16286997	21	- 0.18742330	23	+ 0.02327911
6	+ 0.03638049	25	+ 1.11309410	15	- 0.26595255	7	- 0.09087325	1	+ 0.19728768	25	- 0.00535698
8	+ 0.29104395	27	+ 0.20867895	17	- 0.32150894	9	- 0.27091821	3	+ 0.21622730	27	+ 0.00085857
10	- 0.43870595	k	a(27, 2,k)	19	- 0.24259613	21	- 0.32150894	11	- 0.20802111	k	b(27,25,k)
12	+ 0.38024937	21	+ 0.24259613	23	+ 0.32150894	11	- 0.11151913	5	- 0.2303744		
14	- 0.23179893	1	+ 0.23871459	25	+ 0.61694959	13	+ 0.11836980	7	- 0.20902111	11	+ 0.42968034
16	+ 0.10452352	3	+ 0.23084604	27	- 0.46053983	15	+ 0.31846804	9	- 0.21885174	13	+ 0.34053920
18	- 0.03508009	5	+ 0.21876711	27	+ 0.15777460	21	- 0.32613440	13	- 0.29548043	1	- 0.10624823
20	+ 0.00858327	7	+ 0.20210847	k	a(27, 8,k)	19	- 0.26280511	15	- 0.10399557	3	- 0.20364244
22	- 0.00145444	9	+ 0.18030298	21	+ 0.15777460	23	+ 0.53886155				

k	b(27,27,k)	k	a(28, 4,k)	k	a(28,10,k)	k	b(28,15,k)	k	a(28,20,k)	k	a(28,26,k)
11	- 0.05703224	20	- 0.33771424	0	+ 0.12320828	12	+ 0.16557236	24	+ 0.04281501	0	+ 0.18546331
13	+ 0.02281290	22	- 0.34963414	2	+ 0.18618140	14	+ 0.29292393	26	- 0.00685552	2	- 0.24728441
15	- 0.00760430	24	- 0.28692089	4	+ 0.03288292	16	- 0.01986840	28	+ 0.00048841	4	- 0.04018372
17	+ 0.00207390	26	- 0.06219553	6	- 0.14177208	18	- 0.35682274	6	+ 0.31201475		
19	- 0.00045085	28	+ 0.85518854	8	- 0.25048241	20	- 0.03793887	k	b(28,21,k)	8	- 0.43335381
21	+ 0.00007514			10	- 0.22903632	22	+ 0.48740012			10	+ 0.39229924
23	- 0.00000902	k	b(28, 5,k)	12	- 0.07231796	24	- 0.40020612	0	+ 0.00000000	12	- 0.26685472
25	+ 0.00000069			14	+ 0.14776808	26	+ 0.13669003	2	+ 0.28993579	14	+ 0.14232252
27	- 0.00000003	0	+ 0.00000000	16	+ 0.29787347	28	- 0.01781505	4	- 0.05363812	16	- 0.06021337
		2	+ 0.08326385	18	+ 0.24333898	k	a(28, 16,k)	6	- 0.28703644	18	+ 0.02012161
		4	+ 0.15778500	20	- 0.04788986			8	+ 0.13668402	20	- 0.00521972
		6	+ 0.21522322	22	- 0.38478464	k	a(28, 16,k)	10	+ 0.25538330	22	+ 0.00101690
k	a(28, 0,k)	8	+ 0.24806666	24	- 0.30666170	0	+ 0.13104965	12	- 0.27643602	24	- 0.00014030
0	+ 0.11923147	10	+ 0.25010966	26	+ 0.59052134	2	+ 0.09707381	14	- 0.09676898	26	+ 0.00001224
2	+ 0.23905174	12	+ 0.21702333	28	- 0.18882950	4	- 0.19419616	16	+ 0.40703344	28	- 0.00000051
4	+ 0.24084463	14	+ 0.14708548	k	b(28, 11,k)	8	+ 0.03505209	20	+ 0.23789212	k	b(28,27,k)
6	+ 0.24392449	16	+ 0.04219137			10	+ 0.28005018	22	- 0.08921228		
8	+ 0.24844161	18	- 0.09060830	0	+ 0.00000000	12	+ 0.12659048	24	+ 0.02151314	0	+ 0.00000000
10	+ 0.25463544	20	- 0.36748667	2	+ 0.17732750	14	- 0.24936348	26	- 0.00306428	2	+ 0.25935408
12	+ 0.26287365	22	- 0.42932804	4	+ 0.25091841	16	- 0.23585832	28	+ 0.00019735	4	- 0.42145038
14	+ 0.27372240	24	- 0.29172290	6	+ 0.17275145	18	+ 0.25565471	6	+ 0.44624158		
16	+ 0.28807847	26	+ 0.72930724	8	- 0.01882121	20	+ 0.26641682	k	a(28,22,k)	8	- 0.36360425
18	+ 0.30743552	10	- 0.21061728	22	- 0.49554594			10	+ 0.23921332		
20	+ 0.33447846	k	a(28, 6,k)	12	- 0.27066552	24	+ 0.29971351	0	+ 0.14944230	12	- 0.12917519
22	+ 0.37461588			14	- 0.13135507	26	- 0.08521481	2	- 0.05756296	14	+ 0.05741120
24	+ 0.44089407	0	+ 0.12058913	16	+ 0.15864160	28	+ 0.00968350	4	- 0.28034269	16	- 0.02087680
26	+ 0.57697249	2	+ 0.22033569	18	+ 0.32834520	k	b(28, 17,k)	6	+ 0.18265170	18	+ 0.00612689
28	+ 1.13333881	4	+ 0.16062174	20	+ 0.20064671			8	+ 0.20091687	20	- 0.00141826
k	b(28, 1,k)	6	+ 0.07031933	22	- 0.24600676			10	- 0.31723716	22	+ 0.00024961
0	+ 0.00000000	8	- 0.03730530	24	- 0.46525643	0	+ 0.00000000	12	+ 0.02021609	24	- 0.00003142
2	+ 0.01677814	10	- 0.23206435	26	+ 0.49914287	2	+ 0.25565638	14	+ 0.33423942	26	+ 0.00000252
4	+ 0.03380796	12	- 0.27767473	28	- 0.12828438	4	+ 0.17002424	16	- 0.43455648	28	- 0.00000010
6	+ 0.05136043	14	- 0.26202080	k	a(28, 12,k)	8	- 0.24909606	20	- 0.14570388	k	a(28,28,k)
8	+ 0.06974873	16	- 0.17090108	0	+ 0.12518549	10	+ 0.07630862	22	+ 0.046662992		
10	+ 0.08935952	18	- 0.00161682	2	+ 0.16196838	12	+ 0.30114969	24	- 0.00988607	0	+ 0.25993235
12	+ 0.11070068	20	+ 0.22635449	4	- 0.04356764	14	+ 0.00101317	26	+ 0.00126201	2	- 0.48520706
14	+ 0.13448082	22	+ 0.44818189	6	- 0.22354378	16	- 0.34523986	28	- 0.00007384	4	+ 0.39423073
16	+ 0.16475316	24	+ 0.47987152	8	- 0.24295392	20	+ 0.02881547	k	b(28,23,k)	8	- 0.27828052
18	+ 0.19419969	26	- 0.59983939	10	- 0.07117575	22	- 0.43666191			10	- 0.08950543
20	+ 0.23475786	k	b(28, 7,k)	12	+ 0.17563068	24	+ 0.20719213	0	+ 0.00000000	12	+ 0.04027744
22	+ 0.28922168			14	+ 0.29118205	26	- 0.05000539	2	+ 0.29691837	14	- 0.01534379
24	+ 0.37133637	0	+ 0.00000000	16	+ 0.13252046	28	+ 0.00500054	4	- 0.18557398	16	+ 0.00488211
26	+ 0.52644189	2	+ 0.11567154	18	- 0.20604868	k	a(28,18,k)	6	- 0.18168215	18	- 0.00127360
28	+ 1.11362707	4	+ 0.20531699	20	- 0.35643639	22	+ 0.02413330	8	+ 0.32995149	20	+ 0.00026533
k	a(28, 2,k)	6	+ 0.24730339	24	+ 0.02413330	0	+ 0.13538093	12	- 0.08957710	22	- 0.00004245
0	+ 0.11937858	8	+ 0.22848194	26	+ 0.54482203	2	+ 0.05182092	14	+ 0.43150884	26	+ 0.00000036
2	+ 0.23698595	10	+ 0.14764946	28	- 0.39534742	4	- 0.252849491	16	- 0.35962734	28	+ 0.00000001
4	+ 0.23163866	12	+ 0.01799544	k	b(28,13,k)	8	+ 0.21338931	20	- 0.07875222		
6	+ 0.22256998	14	- 0.13196051			10	+ 0.22145938	22	+ 0.02187793	1	+ 0.23452342
8	+ 0.20953661	16	- 0.25964352	k	a(28,13,k)	2	- 0.19053130	24	- 0.00411891	3	+ 0.23560918
10	+ 0.19215414	18	- 0.24063886	0	+ 0.00000000	14	- 0.25886625	26	+ 0.00047431	5	+ 0.23782668
12	+ 0.16984697	20	- 0.01142015	2	+ 0.20583737	16	+ 0.24747548	28	- 0.00002533	7	+ 0.24127344
14	+ 0.14175523	22	+ 0.34260448	4	+ 0.24185891	18	+ 0.21798814	k	a(28,24,k)	7	+ 0.24611100
16	+ 0.10656425	24	+ 0.60526792	6	+ 0.07114813	20	- 0.47081705			9	+ 0.25258761
18	+ 0.06216950	26	- 0.47555676	8	- 0.17093451	22	+ 0.34220349	10	- 0.10943671	11	+ 0.26107795
20	+ 0.00494913	k	a(28, 8,k)	10	- 0.27001435						

$k$	$a(29, 2, k)$	$k$	$b(29, 7, k)$	$k$	$b(29, 13, k)$	$k$	$a(29, 18, k)$	$k$	$b(29, 23, k)$	$k$	$b(29, 29, k)$
9	+ 0.20051405	21	- 0.21458150	1	+ 0.10905911	13	- 0.26164068	25	- 0.00624596	1	+ 0.50684957
11	+ 0.18253754	23	+ 0.02043633	3	+ 0.24386828	15	- 0.17705699	27	+ 0.00075056	3	- 0.44349358
13	+ 0.15983149	25	+ 0.36104188	5	+ 0.18873284	17	+ 0.30279453	29	- 0.00004158	5	+ 0.33914199
15	+ 0.13153596	27	+ 0.59314024	7	- 0.02157474	19	+ 0.13441560	$k$	$a(29, 24, k)$	7	- 0.22609466
17	+ 0.09634239	29	- 0.48998541	9	- 0.22478294	21	- 0.46254145	$k$	$a(29, 24, k)$	9	+ 0.13089691
19	+ 0.05216047	$k$	$a(29, 8, k)$	11	- 0.24367418	23	+ 0.37563053	1	+ 0.17900610	11	- 0.06544845
21	- 0.00460516	$k$	$a(29, 8, k)$	13	- 0.03497126	25	- 0.15526012	3	- 0.29751477	13	+ 0.02804934
23	- 0.08086860	$k$	$a(29, 8, k)$	15	+ 0.23400364	27	+ 0.03386399	5	+ 0.02091329	15	- 0.01019976
25	- 0.19251699	1	+ 0.23009143	17	+ 0.28049911	29	- 0.00311833	7	+ 0.29278613	19	+ 0.00310427
27	- 0.39010021	3	+ 0.16298143	19	- 0.02102221	$k$	$b(29, 19, k)$	9	- 0.26490173	21	- 0.00077607
29	- 1.05884342	5	+ 0.04613108	21	- 0.36753576	$k$	$b(29, 19, k)$	11	- 0.06053848	23	+ 0.00015521
		7	- 0.08899288	23	- 0.15546875	$k$	$a(29, 14, k)$	9	- 0.30264457	29	- 0.00000001
		9	- 0.20312561	25	+ 0.55193251	1	+ 0.17263812	13	+ 0.35772741	25	+ 0.00000265
1	+ 0.02390842	13	- 0.25801559	27	- 0.31678801	3	+ 0.23258192	15	- 0.42120110	27	- 0.00000019
3	+ 0.07117182	15	- 0.10549881	29	+ 0.05843662	5	- 0.10022602	7	+ 0.30264457	29	+ 0.00000001
5	+ 0.11675668	17	+ 0.07864855	$k$	$a(29, 14, k)$	7	- 0.27078609	19	- 0.15201403		
7	+ 0.15948084	19	+ 0.26083302	$k$	$a(29, 14, k)$	9	+ 0.03831355	21	+ 0.05510779		
9	+ 0.19805841	21	+ 0.34310440	1	+ 0.222004566	13	- 0.01940948	25	+ 0.00252937	$k$	$a(30, 0, k)$
11	+ 0.23103772	23	+ 0.21632052	3	+ 0.02139333	15	- 0.33062046	27	- 0.00027560		
13	+ 0.25671090	25	- 0.17716516	5	- 0.20109728	17	+ 0.10747370	29	+ 0.00001399	0	+ 0.11525821
15	+ 0.27297160	27	- 0.65622681	7	- 0.24220968	19	+ 0.33708960	$k$	$b(29, 25, k)$	2	+ 0.23101323
17	+ 0.27707238	29	+ 0.37782756	9	- 0.04873958	21	- 0.45281186	6	+ 0.23252312		
19	+ 0.26517310	$k$	$b(29, 9, k)$	11	+ 0.20849927	23	+ 0.27681277	8	+ 0.23510671		
21	+ 0.23140258	$k$	$b(29, 9, k)$	13	+ 0.26171420	25	- 0.09546700	1	+ 0.27234911	10	+ 0.23887272
23	+ 0.16559918	1	+ 0.07330634	15	+ 0.01194765	27	+ 0.01814916	3	+ 0.03404364	12	+ 0.24399142
25	+ 0.04653635	3	+ 0.19378666	19	- 0.29102759	29	- 0.00149279	5	- 0.30927645	14	+ 0.25071800
27	- 0.18769663	5	+ 0.24386335	21	+ 0.24899997	$k$	$a(29, 20, k)$	7	+ 0.26727594	16	+ 0.25943280
29	- 0.97260979	7	+ 0.20150771	23	+ 0.35028147	9	+ 0.03818228	11	+ 0.33258774	18	+ 0.28546285
		9	+ 0.07611773	25	- 0.50589517	1	+ 0.20113199	13	+ 0.42502904	20	+ 0.30518574
1	+ 0.23343890	13	- 0.09023111	27	+ 0.22700878	3	- 0.17040349	15	- 0.33520021	22	+ 0.3257420
3	+ 0.21722787	15	- 0.27724968	29	- 0.03564601	5	- 0.22984917	7	+ 0.18925129	24	+ 0.37304619
5	+ 0.18533981	17	- 0.18150415	$k$	$b(29, 15, k)$	9	+ 0.24992512	19	- 0.07962518	26	+ 0.43966158
7	+ 0.13886596	19	+ 0.04274019	1	+ 0.12847898	13	- 0.16959975	23	- 0.00575530	30	+ 0.57610828
9	+ 0.07950508	21	+ 0.29340007	3	+ 0.25398392	15	+ 0.26428302	27	- 0.00009118	$k$	$b(30, 1, k)$
11	+ 0.00964973	23	+ 0.37289270	5	+ 0.11441767	17	+ 0.14924065	29	+ 0.00000426		
13	- 0.06747374	25	+ 0.05106799	7	- 0.15401961	19	- 0.43913960	$k$	$a(29, 26, k)$	0	+ 0.00000000
15	- 0.14757783	27	- 0.65537258	9	- 0.26365087	21	+ 0.38090560	2	+ 0.01515044		
17	- 0.22493057	29	+ 0.28087396	11	- 0.07024122	23	- 0.18531196	4	+ 0.03049893		
19	- 0.29166616	$k$	$a(29, 10, k)$	13	+ 0.22919248	25	+ 0.0546997	1	+ 0.16158361	6	+ 0.04625672
21	- 0.33641929	$k$	$b(29, 11, k)$	15	+ 0.25286765	27	- 0.00912178	3	- 0.34336516	8	+ 0.06266356
23	- 0.34121015	1	+ 0.22748162	17	- 0.09877265	29	+ 0.00067437	5	+ 0.23168238	10	+ 0.08000794
25	- 0.27262519	3	+ 0.12321921	19	- 0.35072927	$k$	$b(29, 21, k)$	7	+ 0.07207896	12	+ 0.09865641
27	- 0.04543753	5	- 0.04065676	21	+ 0.03182605	23	+ 0.46846331	9	- 0.33980082	14	+ 0.11909991
29	+ 0.86331312	7	- 0.19102573	23	- 0.42635334	1	+ 0.19911051	13	- 0.34874295	16	+ 0.14203219
		9	- 0.25451413	25	- 0.42635334	3	+ 0.19450147	15	+ 0.21135936	20	+ 0.16849252
1	+ 0.04003444	13	- 0.18989829	27	+ 0.15372249	5	- 0.21293763	7	- 0.09854012	22	+ 0.23992183
3	+ 0.11621109	15	+ 0.19110477	29	- 0.02081278	7	- 0.18251797	19	+ 0.03559179	24	+ 0.29358400
5	+ 0.18087587	17	+ 0.30051315	$k$	$a(29, 16, k)$	9	+ 0.25204862	21	- 0.00584694	26	+ 0.37184385
7	+ 0.22691246	19	+ 0.20567238	1	+ 0.21498646	13	- 0.13380077	23	+ 0.00202605	28	+ 0.52895737
9	+ 0.24807429	21	- 0.09418641	3	- 0.03881700	15	+ 0.02875071	27	+ 0.00002664	30	+ 1.11458875
11	+ 0.23940403	23	- 0.39537594	5	- 0.25141472	17	+ 0.35134788	29	- 0.00000115	$k$	$a(30, 2, k)$
13	+ 0.19774354	25	- 0.27062206	7	- 0.16200147	19	- 0.434189465	$k$	$b(29, 27, k)$	0	+ 0.11538235
15	+ 0.12239683	27	+ 0.60341406	9	-						

$k$	$a(30, 4, k)$	$k$	$b(30, 9, k)$	$k$	$a(30, 14, k)$	$k$	$b(30, 19, k)$	$k$	$a(30, 24, k)$	$k$	$b(30, 29, k)$
0	+ 0.11575880	2	+ 0.13332218	4	- 0.08280419	6	- 0.21320368	8	+ 0.14885362	10	+ 0.25558439
2	+ 0.22403319	4	+ 0.22191316	6	- 0.24160786	8	- 0.20178383	10	- 0.32428825	12	- 0.14604822
4	+ 0.20180826	6	+ 0.23396412	8	- 0.19133007	10	+ 0.15620372	12	+ 0.10166068	14	+ 0.06970483
6	+ 0.16553678	8	+ 0.16084953	10	+ 0.03948437	12	+ 0.25923625	14	+ 0.25601704	16	- 0.02770875
8	+ 0.11640720	10	+ 0.02228096	12	+ 0.24905954	14	- 0.12687809	16	- 0.42422553	18	+ 0.00909193
10	+ 0.05615541	12	- 0.13564103	14	+ 0.21909322	16	- 0.29520860	18	+ 0.35453099	20	- 0.00242452
12	- 0.01284880	14	- 0.25073581	16	- 0.06219177	18	+ 0.191841450	20	- 0.19637716	22	+ 0.00051288
14	- 0.08746447	16	- 0.26355886	18	- 0.30901166	20	+ 0.27226599	22	+ 0.07655763	24	- 0.00008289
16	- 0.16355818	18	- 0.14319630	20	- 0.16606329	22	- 0.46439544	24	- 0.02102387	26	+ 0.00000962
18	- 0.23563187	20	+ 0.08411531	22	+ 0.29031066	24	+ 0.31082177	26	+ 0.00390591	28	- 0.00000071
20	- 0.29615292	22	+ 0.31219720	24	+ 0.30699955	26	- 0.11378985	28	- 0.00044331	30	+ 0.00000003
22	- 0.33422386	24	+ 0.35563281	26	- 0.52294174	28	+ 0.02262136	30	+ 0.00002331		
24	- 0.33253801	26	+ 0.01496924	28	+ 0.24725327	30	- 0.00192870				
26	- 0.25872700	28	- 0.65864648	30	- 0.04029818						
28	- 0.02952440	30	+ 0.29439502								
30	+ 0.87096987										
$k$	$b(30, 25, k)$	$k$	$a(30, 30, k)$	$k$	$b(30, 25, k)$	$k$	$a(30, 30, k)$	$k$	$b(30, 25, k)$	$k$	$a(30, 30, k)$
$k$	$b(30, 5, k)$	$k$	$a(30, 10, k)$	$k$	$b(30, 15, k)$	$k$	$a(30, 20, k)$	$k$	$b(30, 25, k)$	$k$	$a(30, 30, k)$
0	+ 0.00000000	0	+ 0.11857912	2	+ 0.21213040	4	+ 0.13261818	0	+ 0.00000000	2	+ 0.25552793
2	+ 0.07525870	4	+ 0.18655767	6	+ 0.21998708	8	- 0.25850383	2	+ 0.28701939	4	- 0.47911487
4	+ 0.14363099	6	+ 0.05481979	8	+ 0.00904391	10	- 0.10363442	4	- 0.20260193	6	+ 0.39456519
6	+ 0.19850590	8	- 0.10455180	10	- 0.21985955	12	+ 0.24685951	8	- 0.14339714	10	- 0.28496375
8	+ 0.23383725	10	- 0.22311660	12	- 0.22732636	14	- 0.25426634	12	+ 0.32776489	14	+ 0.17997710
10	+ 0.24446328	12	- 0.14422297	14	+ 0.26707628	16	+ 0.15311014	10	- 0.14807950	12	- 0.09898741
12	+ 0.22647914	14	+ 0.04071462	16	+ 0.19754377	18	+ 0.04965143	12	- 0.19653572	14	+ 0.04713686
14	+ 0.17769706	16	+ 0.22479970	18	- 0.16633864	20	- 0.4129653	14	+ 0.40616354	16	+ 0.00670722
16	+ 0.09825323	18	+ 0.29454421	20	- 0.33069356	22	+ 0.41219034	16	- 0.38701758	18	- 0.00195627
18	- 0.00852860	20	+ 0.16591218	22	+ 0.09593195	24	- 0.21711517	18	+ 0.24584376	20	+ 0.00046951
20	- 0.13478989	22	- 0.13608966	24	+ 0.44414354	26	+ 0.06749295	20	- 0.11270762	22	- 0.00009029
22	- 0.26577665	24	- 0.40098234	26	- 0.44982395	28	- 0.0180632	22	+ 0.03791206	24	+ 0.00001338
24	- 0.37500599	26	- 0.23500194	28	+ 0.17105528	30	+ 0.00090464	24	- 0.00921086	26	- 0.00000143
26	- 0.41183693	28	+ 0.61462046	30	- 0.02402919				+ 0.00153980	28	+ 0.00000010
28	- 0.25446835	30	- 0.21330945						- 0.00015921	30	- 0.00000000
30	+ 0.75068162								+ 0.00000770		
$k$	$b(30, 6, k)$	$k$	$a(30, 11, k)$	$k$	$b(30, 16, k)$	$k$	$a(30, 21, k)$	$k$	$b(30, 26, k)$	$k$	$a(31, 0, k)$
0	+ 0.11640013	0	+ 0.00000000	2	+ 0.12490364	4	+ 0.00000000	2	+ 0.15917696	1	+ 0.22694413
2	+ 0.21523989	4	+ 0.16099777	6	+ 0.1125095	8	+ 0.27109372	4	- 0.14476870	3	+ 0.22786480
4	+ 0.16462472	6	+ 0.23991824	8	- 0.15158325	10	+ 0.27647491	6	- 0.18815491	5	+ 0.22974023
6	+ 0.08705153	8	+ 0.03813418	10	- 0.06152661	12	- 0.03464960	10	- 0.17506506	9	+ 0.23264221
8	- 0.00766108	10	- 0.14735819	12	+ 0.21341693	14	- 0.00100798	12	+ 0.3925103	11	+ 0.24205524
10	- 0.10650899	12	- 0.25816085	14	- 0.06088232	16	+ 0.13909031	14	- 0.40170431	13	+ 0.24900419
12	- 0.19410329	14	- 0.21396429	16	- 0.30418099	18	+ 0.27834435	16	- 0.05623171	19	+ 0.26938305
14	- 0.25373996	16	- 0.01554256	18	- 0.08769130	20	- 0.44575910	18	- 0.01657735	21	+ 0.28430273
16	- 0.26926778	18	+ 0.22536141	20	+ 0.33393659	22	+ 0.32082890	20	+ 0.00359786	23	+ 0.30418404
18	- 0.22670300	20	+ 0.31689111	22	+ 0.13586368	24	- 0.13869223	22	- 0.00054475	25	+ 0.33172333
20	- 0.11807382	22	+ 0.10687344	24	- 0.49799383	26	+ 0.03724122	24	+ 0.00005155	27	+ 0.37234252
22	+ 0.05373022	24	- 0.31219604	26	+ 0.35628518	28	- 0.00578467	26	- 0.00000230	29	+ 0.43910738
24	+ 0.26562924	26	- 0.41159375	28	- 0.11209880	30	+ 0.00040058	28	- 0.00000014	31	+ 0.57571857
26	+ 0.45369028	28	+ 0.53532458	30	+ 0.01372164						+ 1.13286557
28	+ 0.44531961	30	- 0.14898179								
30	- 0.62556802										
$k$	$b(30, 7, k)$	$k$	$a(30, 12, k)$	$k$	$b(30, 17, k)$	$k$	$a(30, 22, k)$	$k$	$b(30, 27, k)$	$k$	$a(31, 1, k)$
0	+ 0.12020256	0	+ 0.00000000	2	+ 0.13844116	4	+ 0.00000000	2	+ 0.27971993	1	+ 0.00720548
2	+ 0.00000000	2	+ 0.16631474	4	+ 0.23477344	6	- 0.01337375	4	- 0.32420697	3	+ 0.02170414
4	+ 0.10465741	4	- 0.012								

k	b(31, 3,k)	k	a(31, 8,k)	k	b(31,13,k)	k	a(31,18,k)	k	b(31,23,k)	k	a(31,28,k)
9	+ 0.18140658	11	- 0.23868118	13	- 0.14295569	15	- 0.29267790	17	+ 0.25115841	19	+ 0.05016926
11	+ 0.21305642	13	- 0.24269476	15	+ 0.10285120	17	+ 0.00629526	19	- 0.43089456	21	- 0.01604604
13	+ 0.23904967	15	- 0.16890013	17	+ 0.28338950	19	+ 0.33967116	21	+ 0.34211413	23	+ 0.00397954
15	+ 0.25785351	17	- 0.02676612	19	+ 0.19927728	21	- 0.02774015	23	- 0.17118572	25	- 0.00074076
17	+ 0.26754767	19	+ 0.14804901	21	- 0.13571453	23	- 0.41666083	25	+ 0.05711867	27	+ 0.00009763
19	+ 0.26559150	21	+ 0.29248053	23	- 0.36990141	25	+ 0.43078262	27	- 0.01246994	29	- 0.00000814
21	+ 0.24838719	23	+ 0.32270069	25	- 0.05241493	27	- 0.20265197	29	+ 0.00162563	31	+ 0.00000032
23	+ 0.21036780	25	+ 0.15610914	27	+ 0.55074674	29	+ 0.04841310	31	- 0.00009656		
25	+ 0.14179114	27	- 0.23230392	29	- 0.35936725	31	- 0.00478638				
27	+ 0.02209788	29	- 0.64506324	31	+ 0.07140522						
29	- 0.20924782	31	+ 0.40565832								
31	- 0.98185517										
k	b(31, 4,k)	k	b(31, 9,k)	k	a(31,14,k)	k	b(31,19,k)	k	a(31,24,k)	k	b(31,29,k)
1	+ 0.22602438	3	+ 0.06622690	3	+ 0.21480752	3	+ 0.15323139	1	+ 0.18273342	1	+ 0.33281796
3	+ 0.21227036	5	+ 0.23230364	7	+ 0.04487865	5	- 0.2837618	3	- 0.24352101	3	- 0.13164199
5	+ 0.18515853	7	+ 0.21165053	9	- 0.16421078	7	- 0.25991761	5	- 0.10143620	7	- 0.14964432
7	+ 0.14549631	9	+ 0.11546767	11	- 0.24507734	9	- 0.09520184	9	+ 0.29071788	9	+ 0.36105318
9	+ 0.09453454	11	- 0.02849697	13	- 0.12185267	11	+ 0.23503014	11	- 0.02602005	11	- 0.42356389
11	+ 0.03420173	13	- 0.17291931	15	+ 0.11667723	13	+ 0.18649646	15	+ 0.29429736	13	+ 0.35735797
13	- 0.03371015	15	- 0.26098713	17	+ 0.26517691	15	- 0.21029877	17	- 0.13355940	17	- 0.23633972
15	- 0.10561144	17	- 0.24406914	19	- 0.12750124	19	- 0.23609587	19	+ 0.39393774	21	+ 0.12621967
17	- 0.17769944	19	- 0.10433929	21	- 0.31173255	21	+ 0.25710202	21	- 0.24151855	23	- 0.00552150
19	- 0.24469669	21	+ 0.12161056	23	- 0.10759145	23	+ 0.20134475	23	+ 0.10126626	25	+ 0.00020924
21	- 0.29937904	23	+ 0.32606712	25	+ 0.32215276	25	+ 0.34282620	27	- 0.02943897	27	+ 0.00002534
23	- 0.33127794	25	+ 0.33632349	27	- 0.15339845	29	+ 0.02764664	29	- 0.00006767	31	- 0.00000007
25	- 0.32370073	27	- 0.01923069	29	+ 0.26726207	31	- 0.00244059				
27	- 0.24523172	29	- 0.66059575	31	- 0.04516063						
29	- 0.01439669	31	+ 0.30760565								
31	+ 0.87819796										
k	b(31, 5,k)	k	a(31,10,k)	k	b(31,15,k)	k	a(31,20,k)	k	b(31,25,k)	k	a(31,30,k)
1	+ 0.03624868	3	+ 0.22100148	3	+ 0.11522252	1	+ 0.19951239	1	+ 0.23073579	1	+ 0.12676188
3	+ 0.10565791	5	+ 0.13224226	5	+ 0.24236461	3	- 0.12343058	3	- 0.11092167	3	- 0.33554615
5	+ 0.16591715	7	- 0.01203712	7	+ 0.14844689	5	- 0.24968401	5	- 0.29594712	7	+ 0.43496724
7	+ 0.21131295	9	- 0.15585511	9	- 0.08844550	7	+ 0.03954475	9	+ 0.06189772	9	- 0.41665283
9	+ 0.23673112	11	- 0.23915325	11	- 0.25001432	11	+ 0.27337589	11	- 0.27181456	13	- 0.20577548
11	+ 0.23793885	13	- 0.09540720	15	- 0.16749230	13	+ 0.02684304	13	- 0.04286344	15	+ 0.11054055
13	+ 0.21191880	15	+ 0.09012056	17	- 0.22079273	15	- 0.29039873	15	+ 0.34573644	17	- 0.04990961
15	+ 0.15728780	17	+ 0.24927299	19	- 0.13057889	15	- 0.04660276	17	- 0.41564169	19	+ 0.01885474
17	+ 0.074485622	19	+ 0.28153533	21	+ 0.28060431	17	+ 0.33097049	19	+ 0.29956647	21	- 0.00590042
19	- 0.03156647	21	+ 0.12531851	23	+ 0.13393755	19	- 0.0486616	21	- 0.14988303	23	+ 0.00150497
21	- 0.15390140	23	- 0.17351035	25	- 0.09012056	21	- 0.37042132	23	+ 0.05391316	25	- 0.00030524
23	- 0.27755253	25	- 0.40225830	27	- 0.22079273	21	- 0.29971625	23	- 0.01382986	27	+ 0.00000530
25	- 0.37676184	27	- 0.20003351	29	+ 0.18857742	25	+ 0.15346188	25	+ 0.00241978	29	+ 0.00000038
27	- 0.40256517	29	+ 0.62426731	31	- 0.02745399	29	- 0.42894120	27	- 0.00026018	31	- 0.00000001
29	- 0.23689005	31	- 0.22532725								
31	+ 0.76054174										
k	b(31, 6,k)	k	a(31,11,k)	k	b(31,16,k)	k	a(31,21,k)	k	b(31,26,k)	k	a(31,31,k)
1	+ 0.22485870	3	+ 0.08185657	3	+ 0.21064688	1	+ 0.17518267	1	+ 0.17068211	1	+ 0.49906202
3	+ 0.19293150	5	+ 0.20671691	5	- 0.00726369	3	- 0.21498076	3	- 0.29670298	5	- 0.44034884
5	+ 0.13262457	7	+ 0.23180705	7	- 0.22158724	5	- 0.13374972	7	+ 0.34249355	7	- 0.23433769
7	+ 0.05086854	9	+ 0.14056594	9	- 0.20476419	9	- 0.24570379	9	- 0.28885310	11	- 0.07364899
9	- 0.04256070	11	- 0.19191806	13	+ 0.03984804	11	+ 0.10727323	11	+ 0.00828032	13	+ 0.03347681
11	- 0.13457393	13	- 0.25839457	15	+ 0.25335376	13	- 0.12278957	15	+ 0.30212898	15	- 0.01309962
13	- 0.21153085	15	- 0.17289406	17	- 0.13974863	15	- 0.27598440	17	- 0.41786897	17	+ 0.00436654
15	- 0.25829381	17	+ 0.03855672	19	- 0.29541290	17	+ 0.22629995	19	- 0.19379818	21	- 0.00122263
17	- 0.26067833	19	+ 0.25471636	21	- 0.01193347	19	+ 0.19465368	21	+ 0.08182794	23	- 0.00005225
19	- 0.20729095	21	+ 0.30020877	23	+ 0.07109161	21	+ 0.35726528	25	- 0.02568698	25	+ 0.0000074

m	N( 0,m)	m	N(11,m)	m	N(17,m)	m	N(21,m)	m	N(25,m)	m	N(29,m)
0	.1414213562	1	5 .5026834980	5	4 .2165273562	5	18 .1257470146	23	16 .1901353444	22	0 .1841149236
m	N( 1,m)		6 .5076834470	6	5 .3661809861	6	19 .1377489529	24	17 .3696653595	23	1 .5430610042
0	.8164965809	0	8 .4198776571	8	7 .6083455434	7	20 .1247369821	25	18 .6856271030	24	3 .1599957627
1	.1154700538	1	9 .3252358347	9	8 .1562867999	8	21 .8083880365	25	19 .1203270682	26	4 .4702895754
m	N( 2,m)		10 .2107769111	10	9 .2390728327	11	m N(22,m)	20	20 .1977175486	27	4 .1377555154
0	.6324555320	0	m N(12,m)	12	6 .6488730888	14	1 .47447039877	1	21 .2998535089	28	5 .4016228919
1	.1549193328	1	0 .2828427125	0	14 .88449449084	16	2 .1064631392	3	22 .4111384175	29	6 .1164013727
2	.3098386677	1	1 .4383970803	2	16 .7044072531	18	3 .2380588163	4	23 .4933661010	30	7 .3349448236
m	N( 3,m)		3 .5369245757	3	17 .4107364807	19	5 .5291121620	5	24 .4884075219	31	8 .9556205333
0	.5345224838	0	4 .6443094909	4	m N(18,m)	7	6 .1162879200	11	25 .3453562707	32	9 .2699522294
1	.1851640200	1	5 .7513875293	5	5 m N(19,m)	8	7 .2422587473	12	m N(26,m)	10	10 .7530355464
2	.5855400438	1	6 .8434504098	6	6 .0 .2324952775	0	10 .4941128319	13	11 .2078456865	11	11 .5646368223
3	.1434274331	2	7 .9005372486	7	1 .4299591433	1	11 .9832721204	14	12 .1942571725	12	12 .1508753542
m	N( 4,m)		8 .9005372486	8	2 .7928054872	2	13 .1901557781	16	13 .5146898682	1	13 .3957423441
0	.6705224016	10	9 .8253560215	9	3 .1453236463	4	14 .3557488859	17	14 .1016680490	2	14 .2551847778
1	.4547704189	11	10 .6705224016	10	4 .2639935134	5	15 .6403479946	18	15 .1016680490	22	15 .2364429886
2	.2108185107	12	11 .2227910953	12	5 .4737194232	6	16 .1101696347	20	16 .1047030010	13	16 .2229953336
3	.8944271910	1	m N(13,m)	7	6 .8367553327	7	17 .1796812365	21	17 .1047030010	14	17 .21612358213
4	.3346640106	2	7 .1449302750	9	8 .2450993349	10	18 .2748594394	22	18 .10502250974	15	18 .2098905887
5	.9465727653	2	8 .6393288244	10	9 .1050461179	19	19 .3887099469	23	19 .1504641797	17	19 .2552025326
m	N( 5,m)		10 .1497916165	10	11 .2097697037	20	20 .15077355017	25	20 .1805686628	25	20 .2678266088
0	.2721655270	0	11 .5181817059	11	12 .1778335370	21	21 .1778335370	21	21 .23471429608	27	21 .2822765402
1	.3671713698	1	12 .3472285853	12	13 .2437228583	22	22 .17926270365	22	22 .2706472557	28	22 .2822765402
2	.4926120854	2	m N(14,m)	13 .6535237818	13	14 .1411165418	15	m N(23,m)	17 .1577307887	25	m N(30,m)
3	.8520907620	3	15 .1924573037	15	16 .m N(19,m)	16	17 .2992731297	26	17 .1810714921	0	17 .5521938362
4	.1084543481	4	16 .2434413728	17	17 .m N(20,m)	17	18 .2062842493	0	18 .5370264312	1	18 .1682153187
5	.1235828761	5	17 .1337103908	15	18 .2709628434	18	19 .4846582477	1	19 .9018207326	2	19 .5113302997
6	.6054299749	6	18 .1582082680	16	19 .2824759253	19	20 .1136624341	3	20 .1397094671	30	20 .5113302997
7	.2568621845	7	19 .1775883403	17	20 .2363363152	20	21 .1136624341	3	21 .1805686628	25	21 .5149254866
8	.8122695477	9	20 .1862562227	18	21 .1418017891	21	22 .1136624341	3	22 .1042054255	9	22 .4673514184
m	N( 6,m)		21 .1786256227	21	22 .1786256227	22	m N(27,m)	23 .17926270365	23	m N(30,m)	
0	.3922322703	0	22 .1515901396	12	m N(19,m)	24 .1577307887	25	24 .1042054255	9	24 .1235170808	12
1	.2541955637	1	23 .1071904157	13	24 .m N(20,m)	25 .2992731297	26	25 .1810714921	0	25 .3618017498	13
2	.1607673905	2	25 .5465660213	13	26 .0 .2064554068	0	27 .2006909509	4	27 .1048601093	15	27 .3002736563
3	.9646043430	3	m N(14,m)	27 .8582630043	27	1 .4414428557	1	28 .2139727247	3	28 .12482398622	17
4	.5283355577	4	28 .0 .2626128657	0	29 .1 .3184051642	1	29 .1161949634	15	29 .1 .2359875862	19	29 .1 .2359875862
5	.2478113426	4	30 .1 .3805621976	1	31 .2 .6041313227	6	32 .1 .3118976213	8	32 .2 .3942854449	4	32 .2 .3942854449
6	.8584436723	4	33 .2 .5488546067	2	34 .3 .6604685267	17	35 .3 .6604685267	17	35 .4 .1075467580	6	35 .4 .1075467580
m	N( 7,m)		36 .3 .7839211783	3	37 .4 .11034074875	5	38 .5 .1520483785	9	38 .6 .2917670406	7	38 .6 .4178027582
0	.3651483717	0	39 .6 .2039943061	7	40 .7 .1117816685	10	41 .8 .1117816685	10	41 .9 .7861484107	8	41 .9 .1731833775
1	.2732520204	1	42 .7 .2644068404	8	43 .8 .186760241	14	44 .9 .186760241	17	44 .10 .21006469750	10	44 .10 .4549155170
2	.2007984064	2	45 .9 .3281202599	9	46 .10 .2892532921	15	47 .11 .1089155549	24	47 .12 .5557796829	11	47 .12 .1166927024
3	.1419859148	3	48 .9 .3854540295	10	49 .10 .4329146868	16	50 .11 .1578336339	25	50 .12 .1453552484	13	50 .12 .2914982772
4	.9418280098	3	51 .10 .4222437337	11	52 .11 .6091646908	17	53 .12 .2069668703	26	53 .13 .3751179377	14	53 .13 .7068457570
5	.5650968059	4	54 .11 .4222437337	12	55 .12 .7914253936	18	56 .13 .2378212978	27	56 .14 .9534196337	15	56 .14 .1657700239
6	.2888439640	5	57 .12 .372915683	13	58 .13 .9299773902	19	59 .14 .2256170931	28	59 .15 .2381641482	17	59 .15 .3743614219
7	.1078135991	6	60 .13 .2740358578	14	61 .14 .9766417168	20	62 .15 .1530209575	29	62 .16 .5833805681	18	62 .16 .8098675814
m	N( 8,m)		63 .14 .1450061460	15	64 .15 .8401389718	21	m N(24,m)	65 .15 .1748172252	22	m N(31,m)	
0	.3424428423	0	m N(15,m)	66 .15 .5178964442	22	67 .16 .2020305089	0	68 .17 .1632118961	24	69 .18 .3618017483	13
1	.2910427500	1	68 .18 .2540002540	0	m N(20,m)	69 .19 .0 .2020305089	0	70 .18 .4948715953	1	71 .19 .3462247156	25
2	.2435038350	2	71 .20 .1 .3934955015	1							